

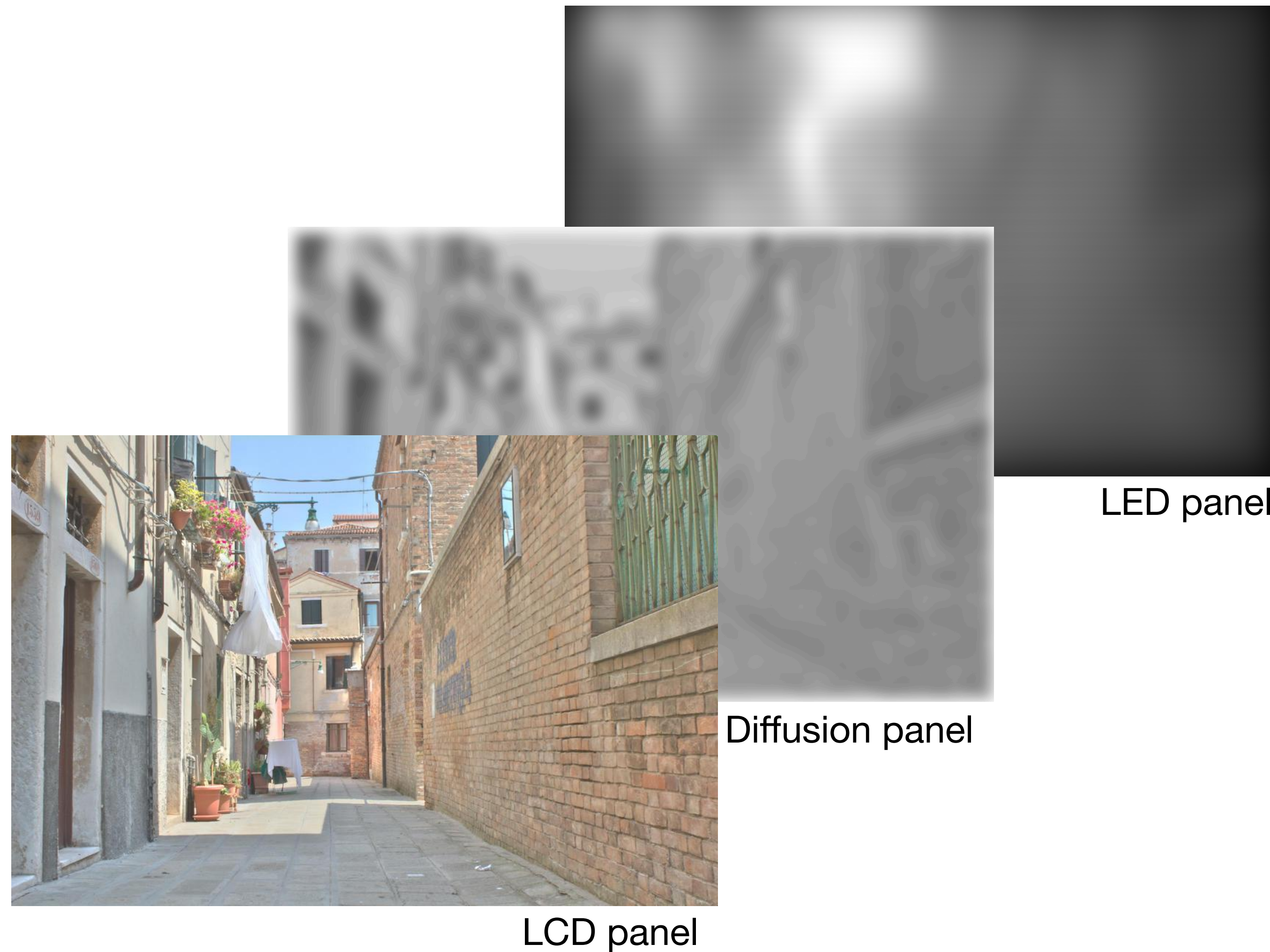
Modern High Dynamic Range Imaging at the Time of Deep Learning

Visualisation

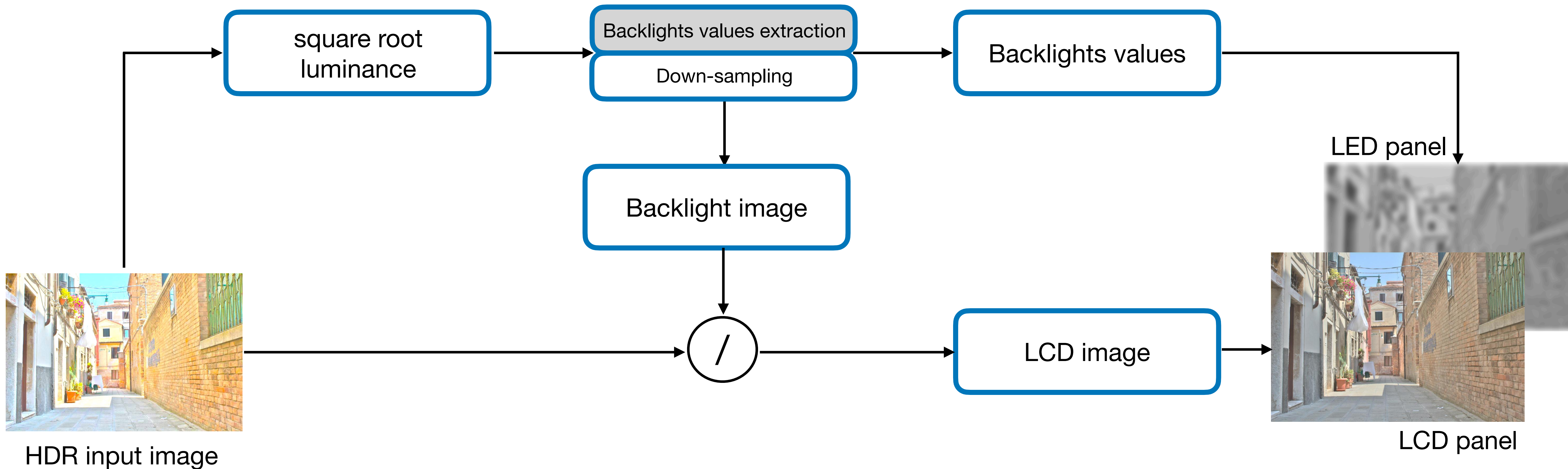
Francesco Banterle and Alessandro Artusi

HDR Direct Visualisation - HDR Display

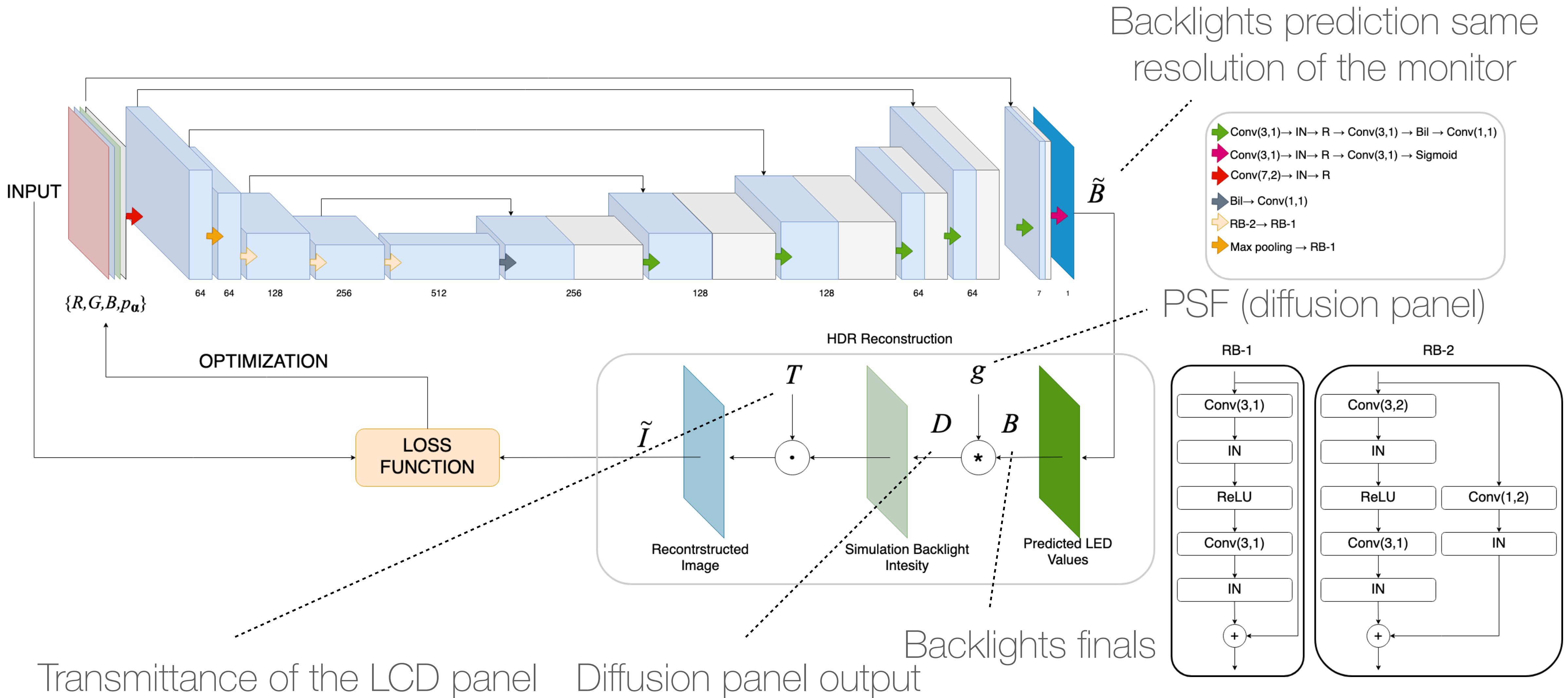
HDR Display: Modulating Backlight



Baseline Method for Backlight Display



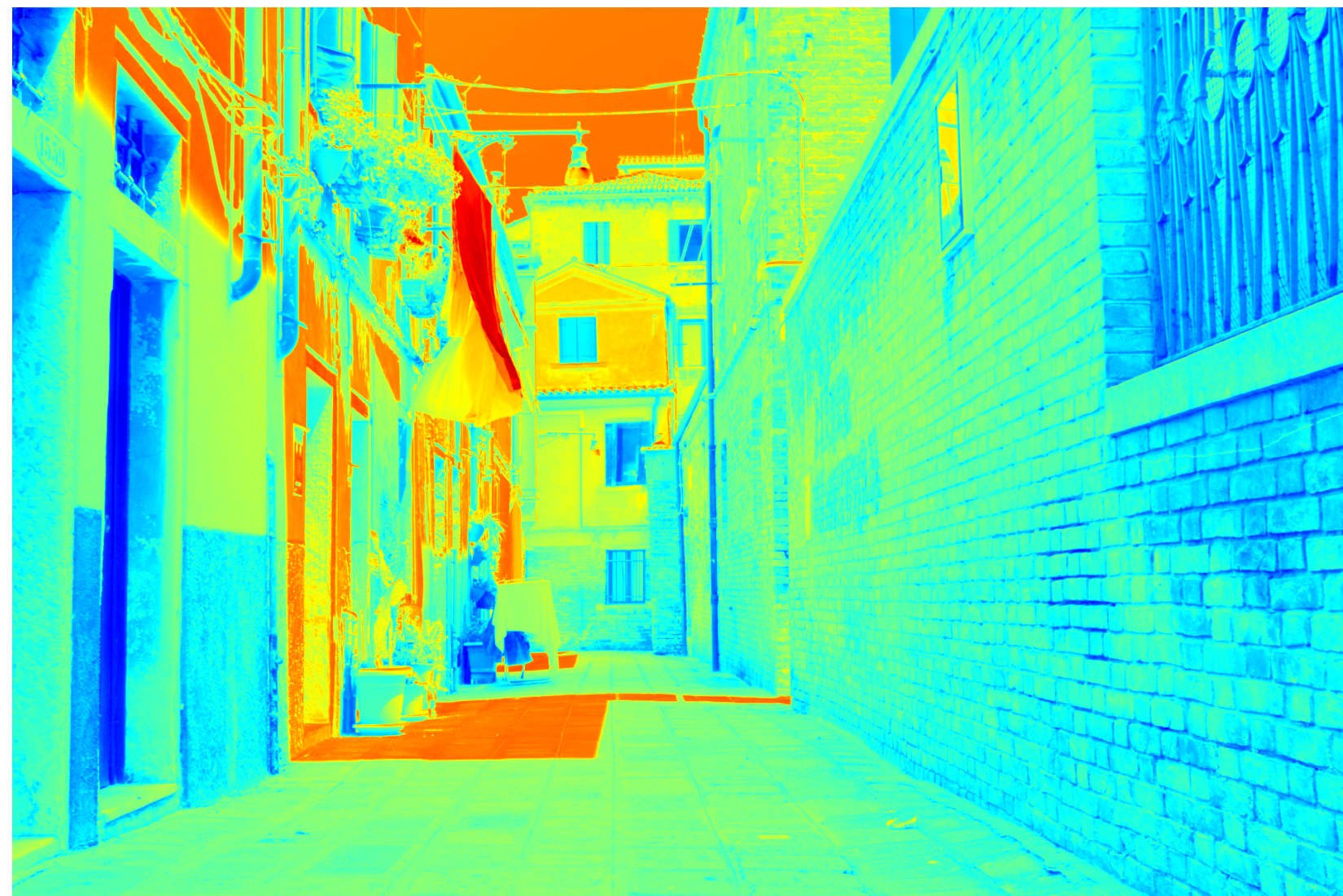
Deep-learning Approach for BLD



HDR Conversion to SDR Content

- Tone Mapping

Tone Mapping



32-bit Scene-referred HDR image



TMO



8-bit Tone Mapped Image

The Full Pipeline



The Full Pipeline



$$Y_{HDR} = w_1R + w_2G + w_3B$$

The Full Pipeline



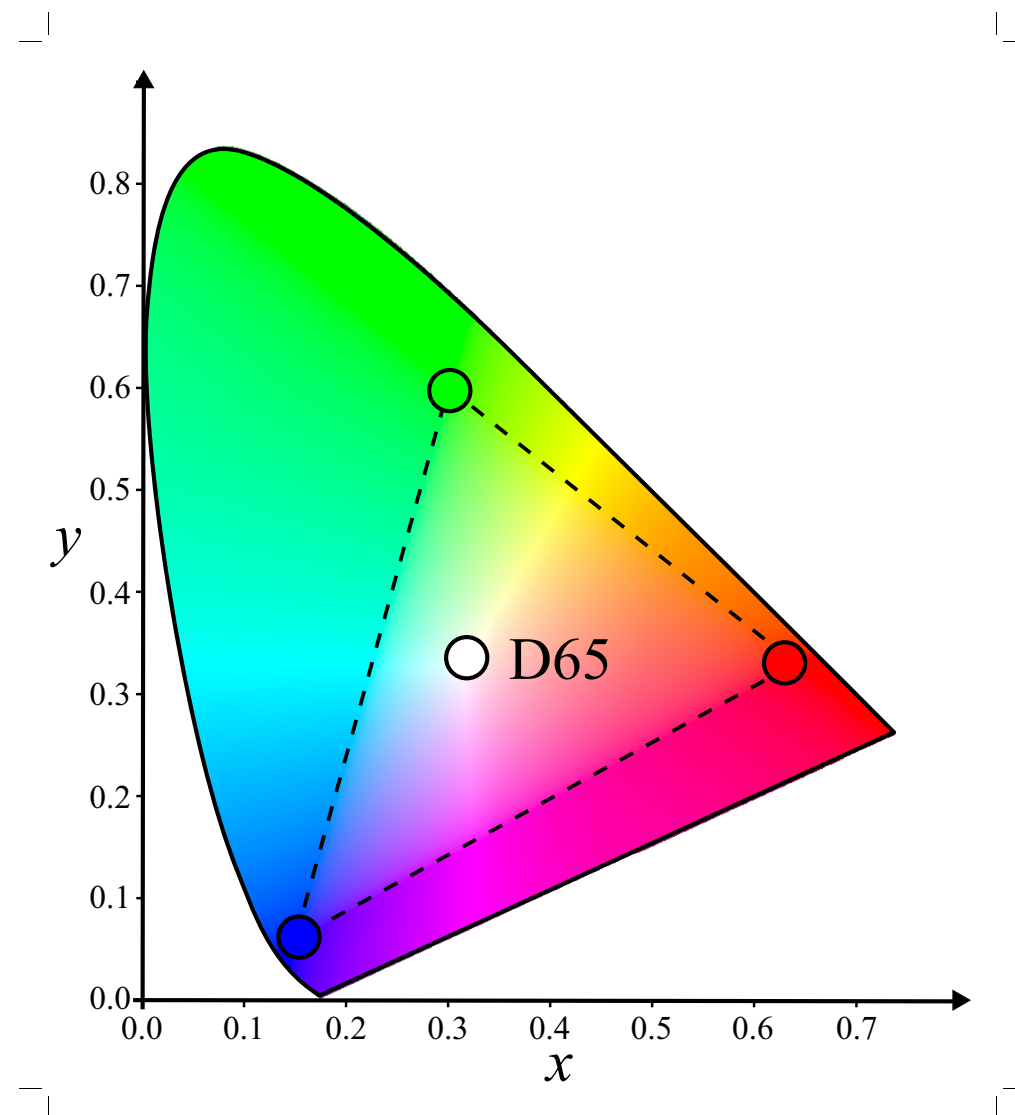
$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

sRGB :

$$w_1 = 0.2126$$

$$w_2 = 0.7152$$

$$w_3 = 0.0722$$



The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

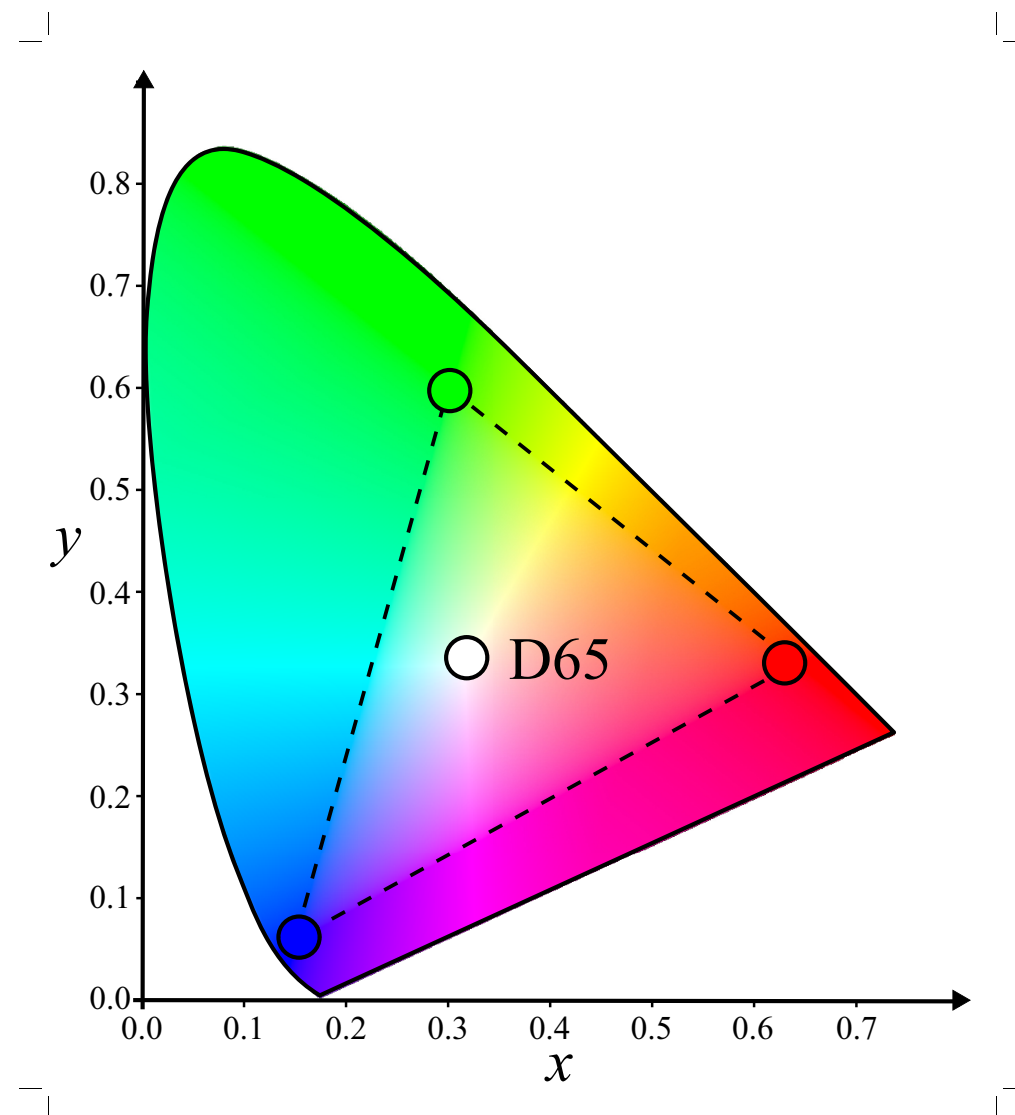
$$Y_{SDR} = F(mY_{HDR}^{\gamma})$$

sRGB :

$$w_1 = 0.2126$$

$$w_2 = 0.7152$$

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The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

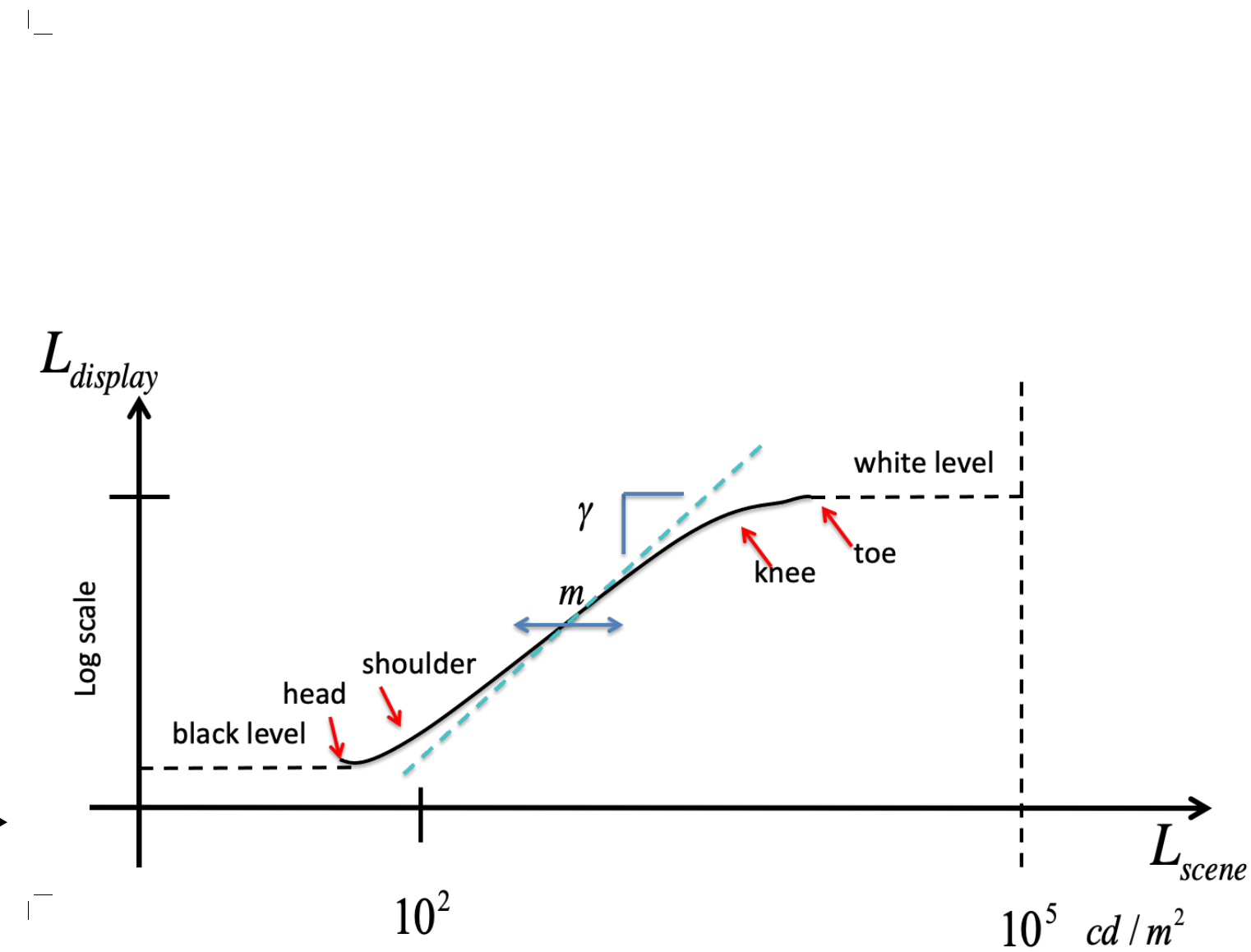
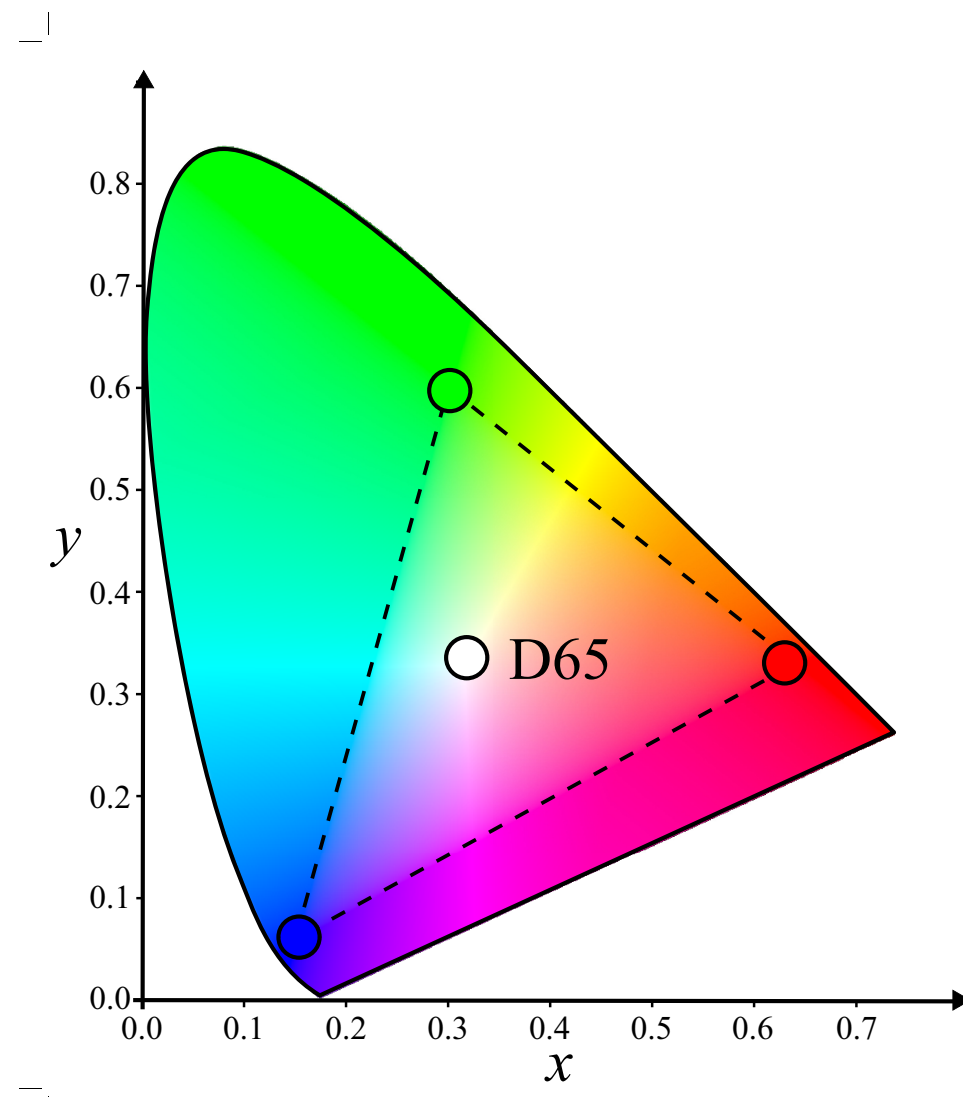
$$Y_{SDR} = F(m Y_{HDR}^\gamma)$$

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The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

$$Y_{SDR} = F(mY_a^{\gamma})$$

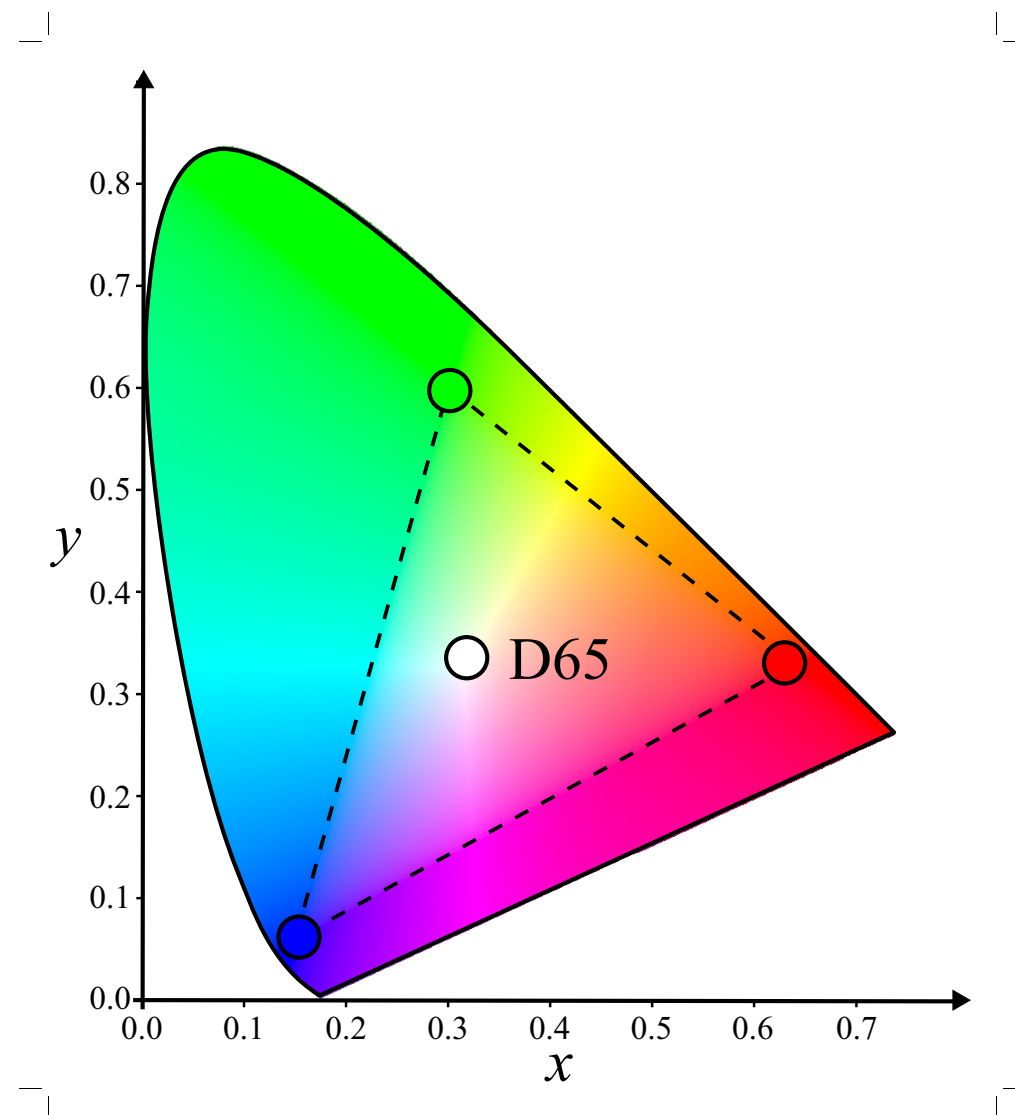
$$Y_a = G_s(Y_{HDR})$$

sRGB :

$$w_1 = 0.2126$$

$$w_2 = 0.7152$$

$$w_3 = 0.0722$$



The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

$$Y_{SDR} = F(mY_a^{\gamma})$$

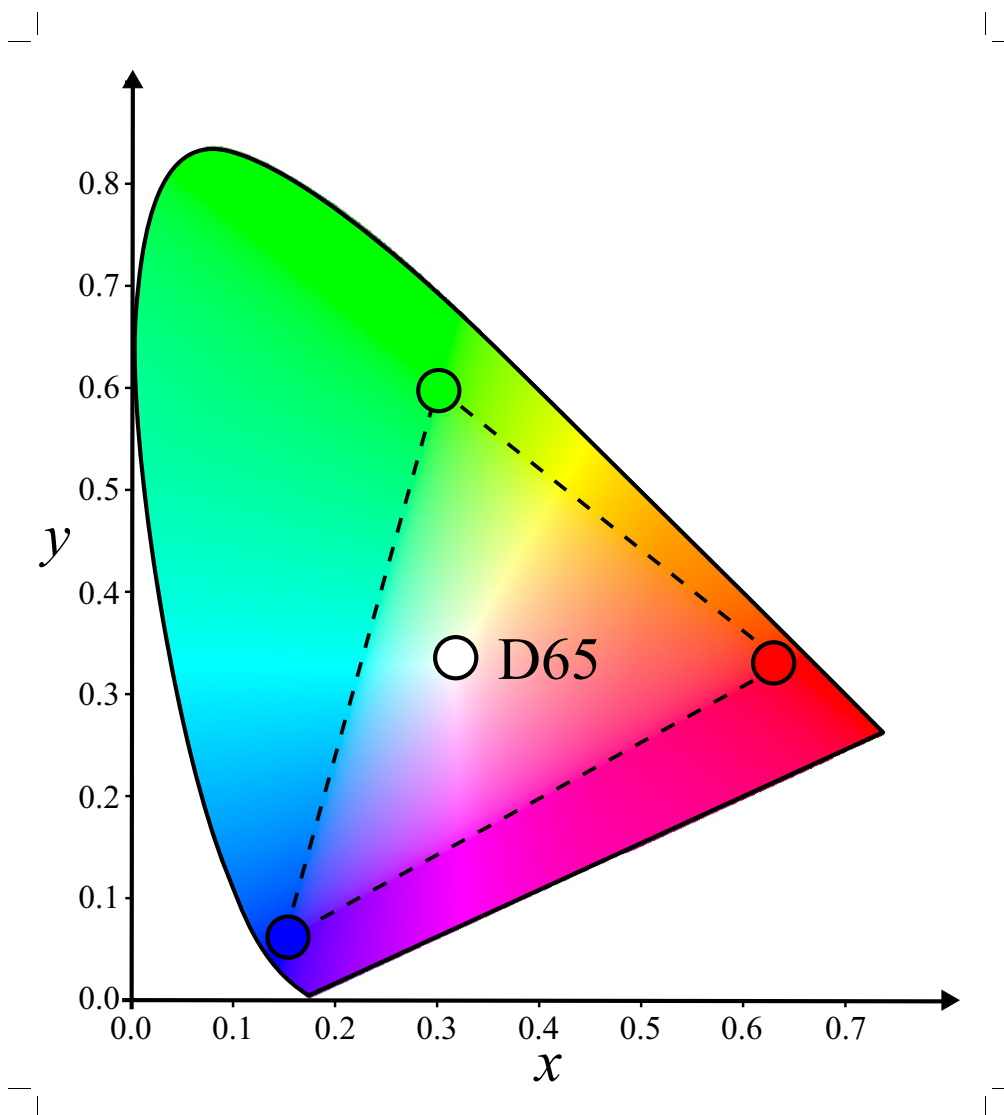
$$Y_a = G_s(Y_{HDR})$$

sRGB :

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The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

$$Y_{SDR} = F(mY_a^{\gamma})$$

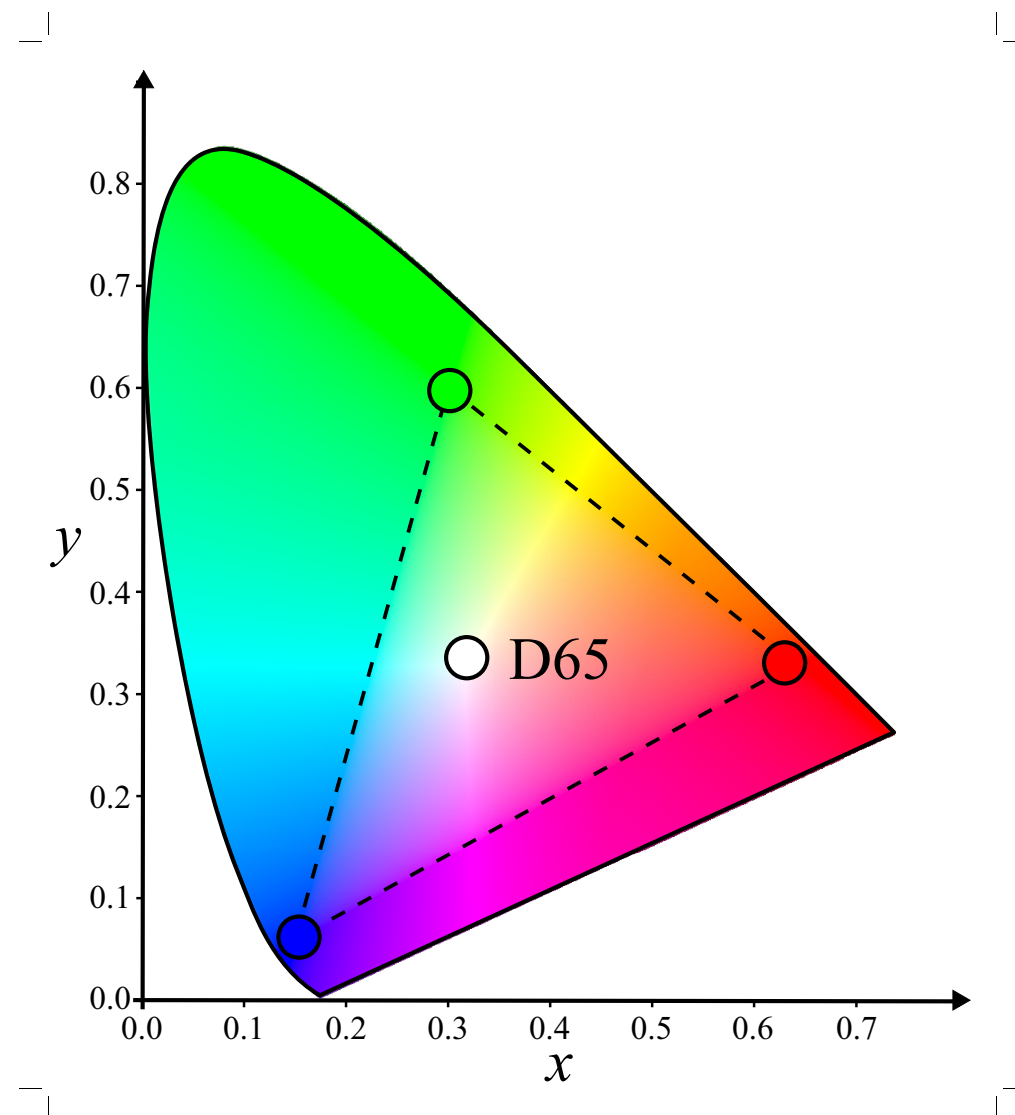
$$Y_a = G_s(Y_{HDR})$$

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The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

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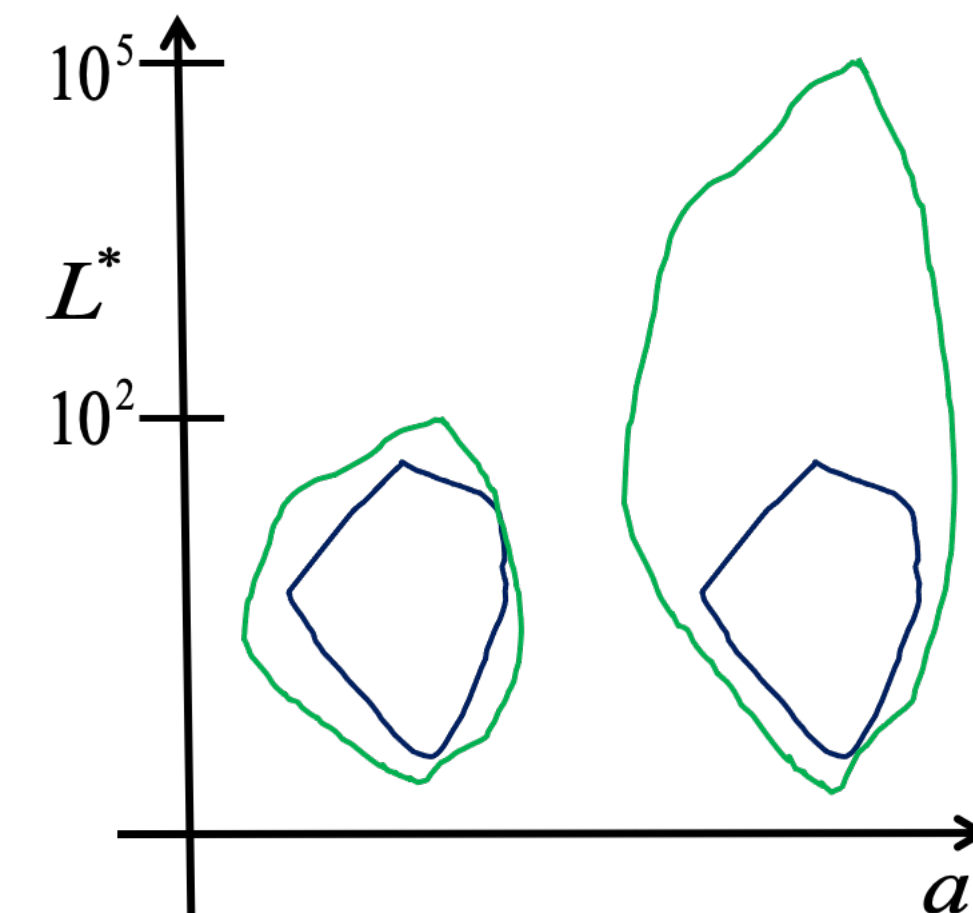
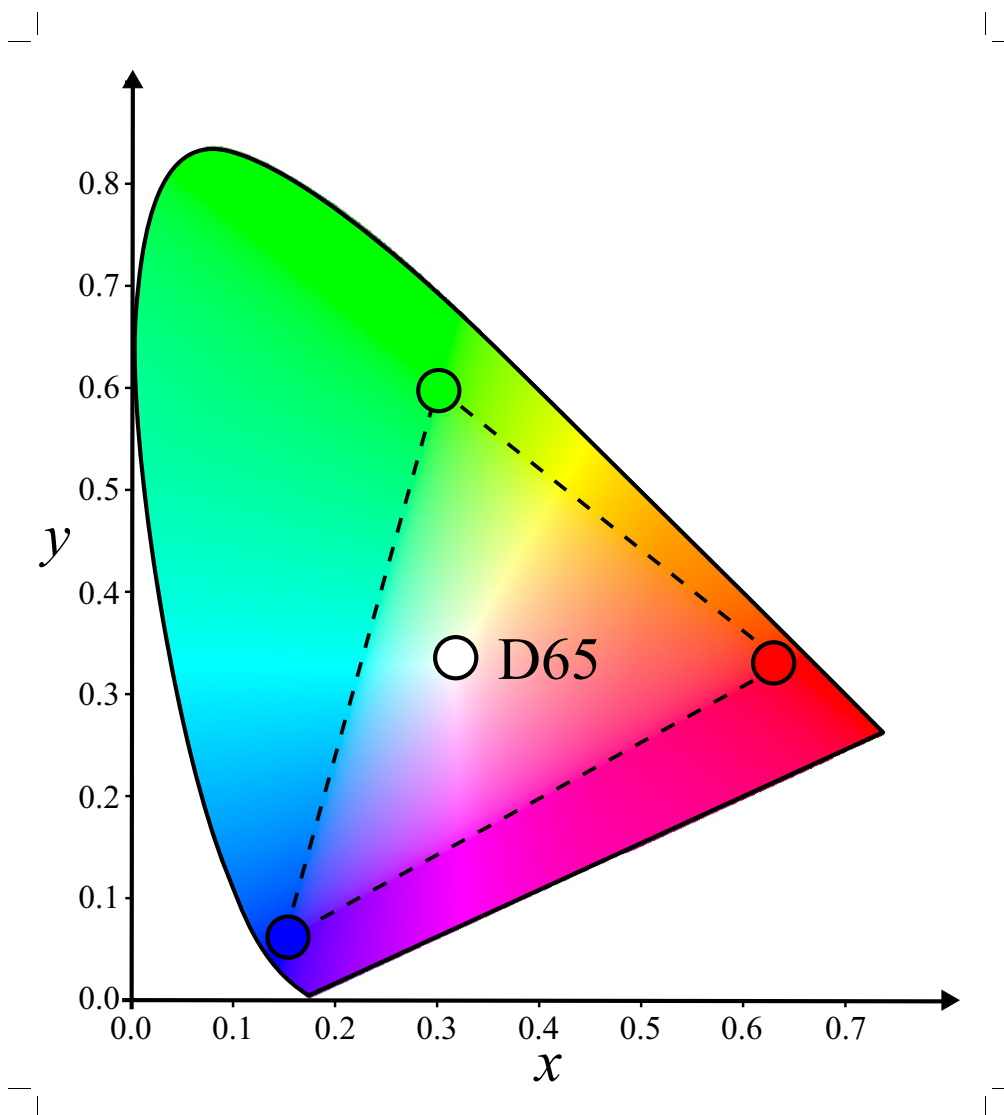
$$Y_a = G_s(Y_{HDR})$$

sRGB :

$$w_1 = 0.2126$$

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$$w_3 = 0.0722$$



The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

$$Y_{SDR} = F(mY_a^{\gamma})$$

$$RGB_{SDR} = \left(\frac{RGB_{HDR}}{Y_{HDR}} \right)^s Y_{SDR}$$

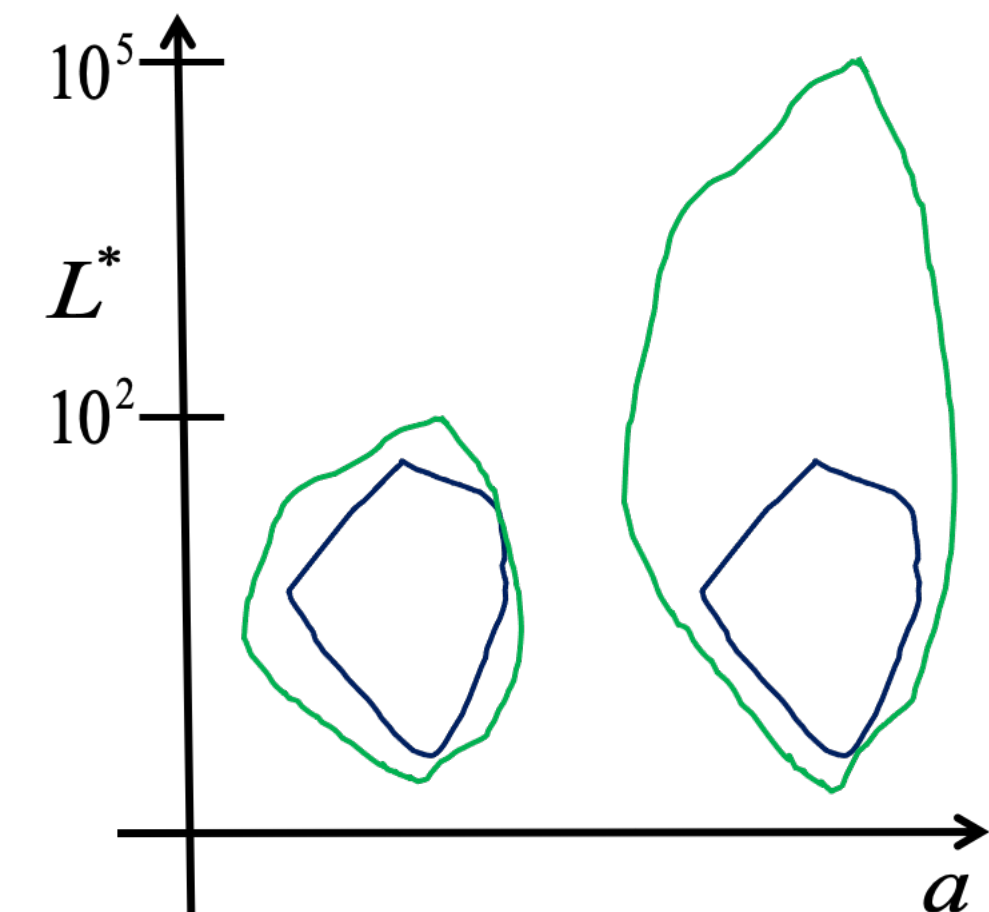
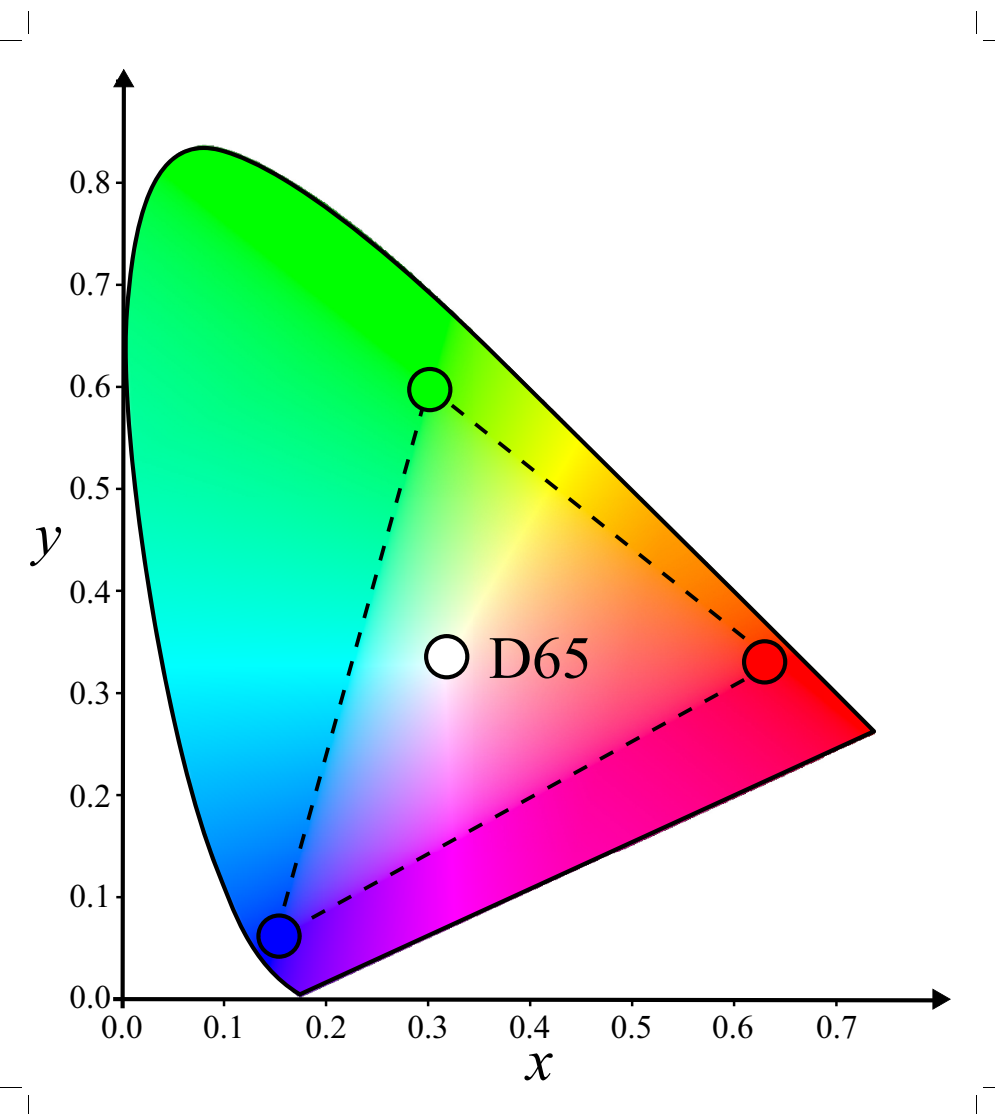
$$Y_a = G_s(Y_{HDR})$$

sRGB :

$$w_1 = 0.2126$$

$$w_2 = 0.7152$$

$$w_3 = 0.0722$$



The Full Pipeline



$$Y_{HDR} = w_1 R + w_2 G + w_3 B$$

$$Y_{SDR} = F(mY_a^{\gamma})$$

$$RGB_{SDR} = \left(\frac{RGB_{HDR}}{Y_{HDR}} \right)^s Y_{SDR}$$

$$Y_a = G_s(Y_{HDR})$$

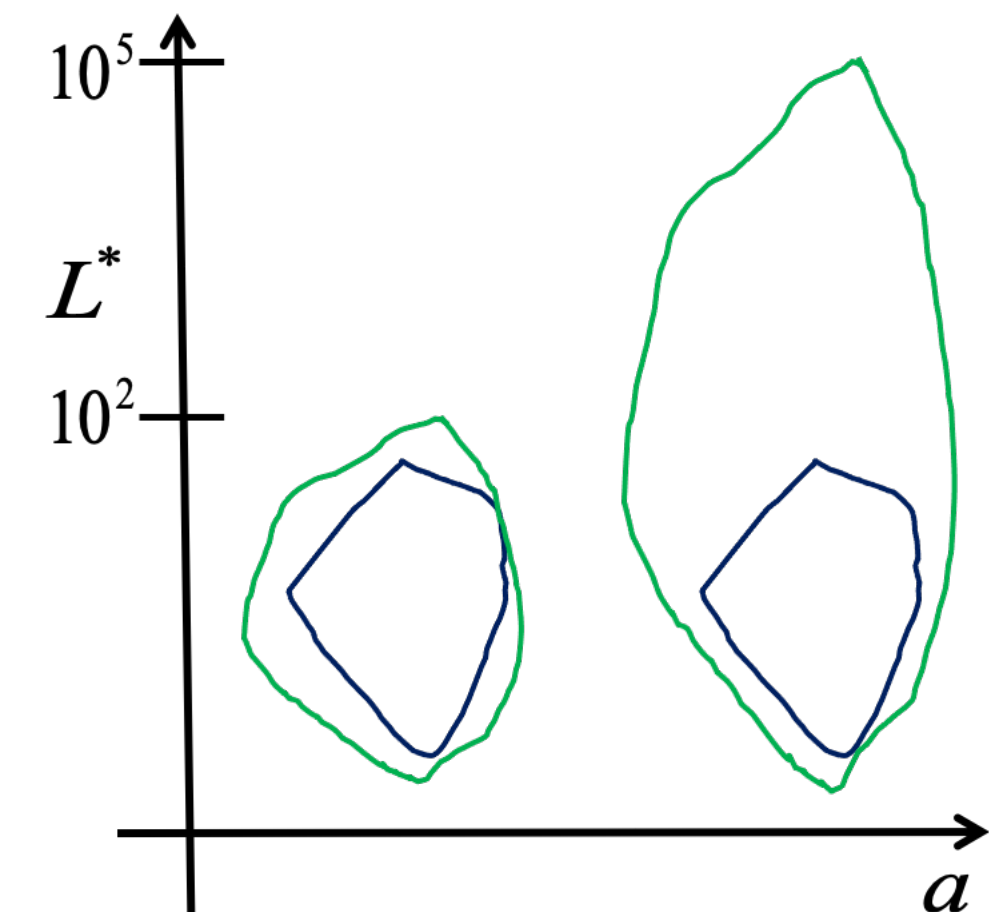
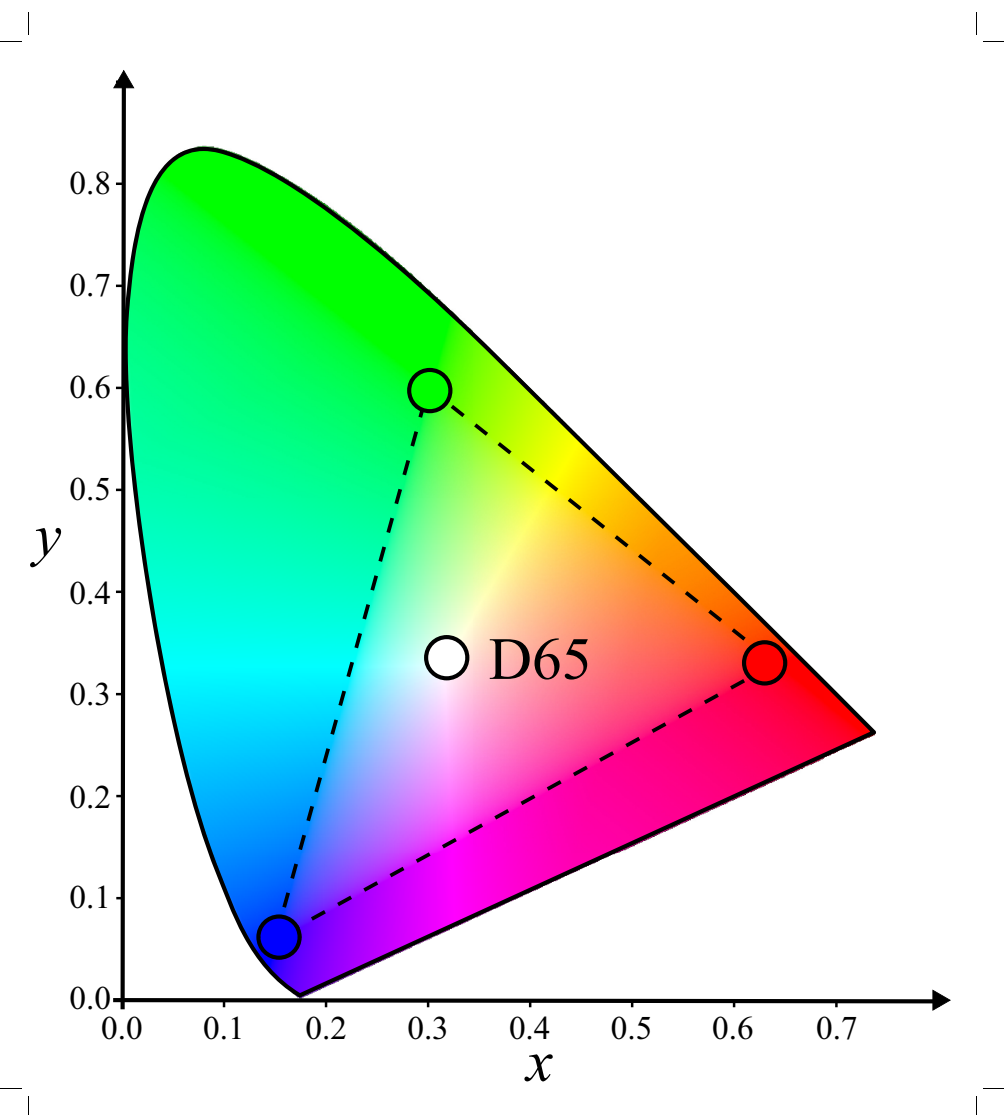
$$RGB_{SDR} = \left(\left(\frac{RGB_{HDR}}{Y_{HDR}} - 1 \right) s + 1 \right)^s Y_{SDR}$$

sRGB :

$$w_1 = 0.2126$$

$$w_2 = 0.7152$$

$$w_3 = 0.0722$$



Aims/Goals

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- **Quality optimisation**

- To best reproduce the characteristics of the LDR image (Cite:VHF 2021)
- To mimic the original HDR content under a limited range [0-255] (DeepTMO Cite:RSV 2020)
- Learning-based self-supervised TMO (Cite:WSC 2022)
- Fusing stack of n differently exposed LDR images (DeepFuse Cite:DF2017)
- Optimising color mapping using HSV (TMNet Cite:ZWZW 2020)

- **Performances optimisation**

- Parameters free TMO (TMO-net Cite:PKO 2021)
- Real-time DL based TMO (Cite:ZZWW 2022)

Architectures

Architectures - Generative Adversarial Network

Legend:

G = Generator

D = Discriminator

Y = Ground truth SDR

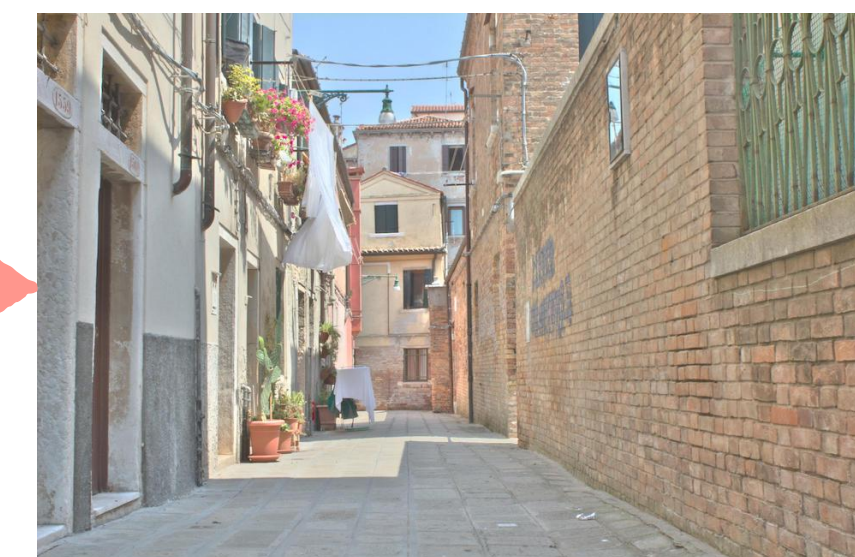
X = HDR input

$$L_{GAN}(G, D) = \mathbb{E}_y[\log D(Y)] + \mathbb{E}_x[1 - \log D(G(X))]$$

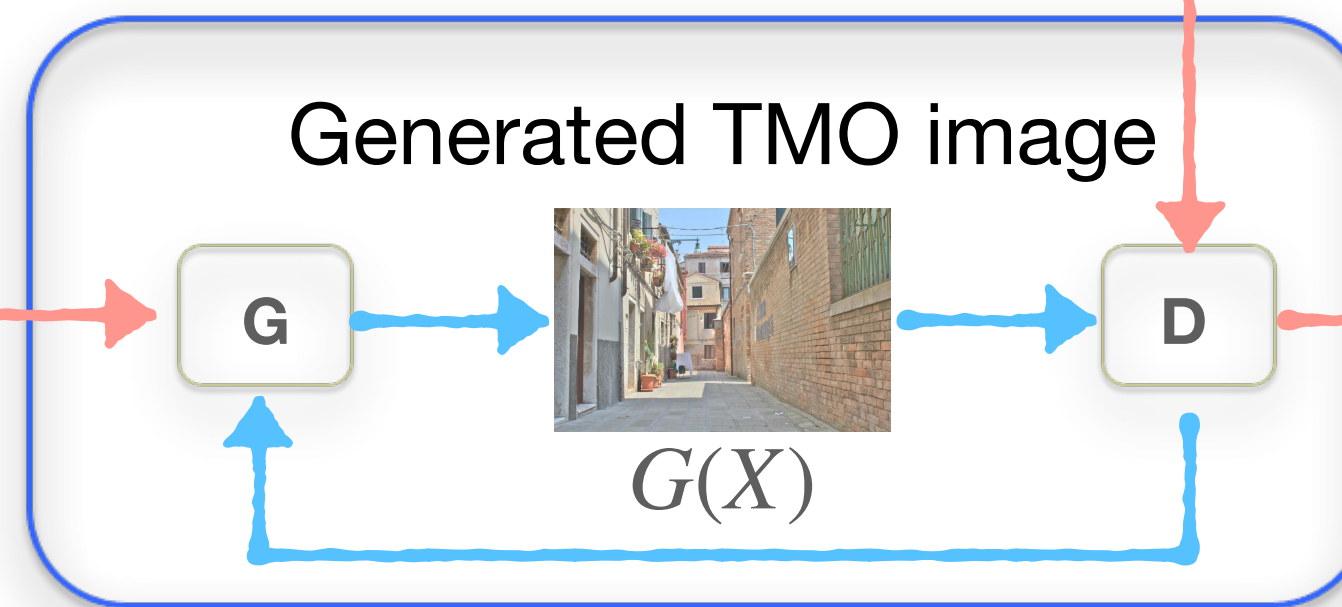
LDR-TMO image



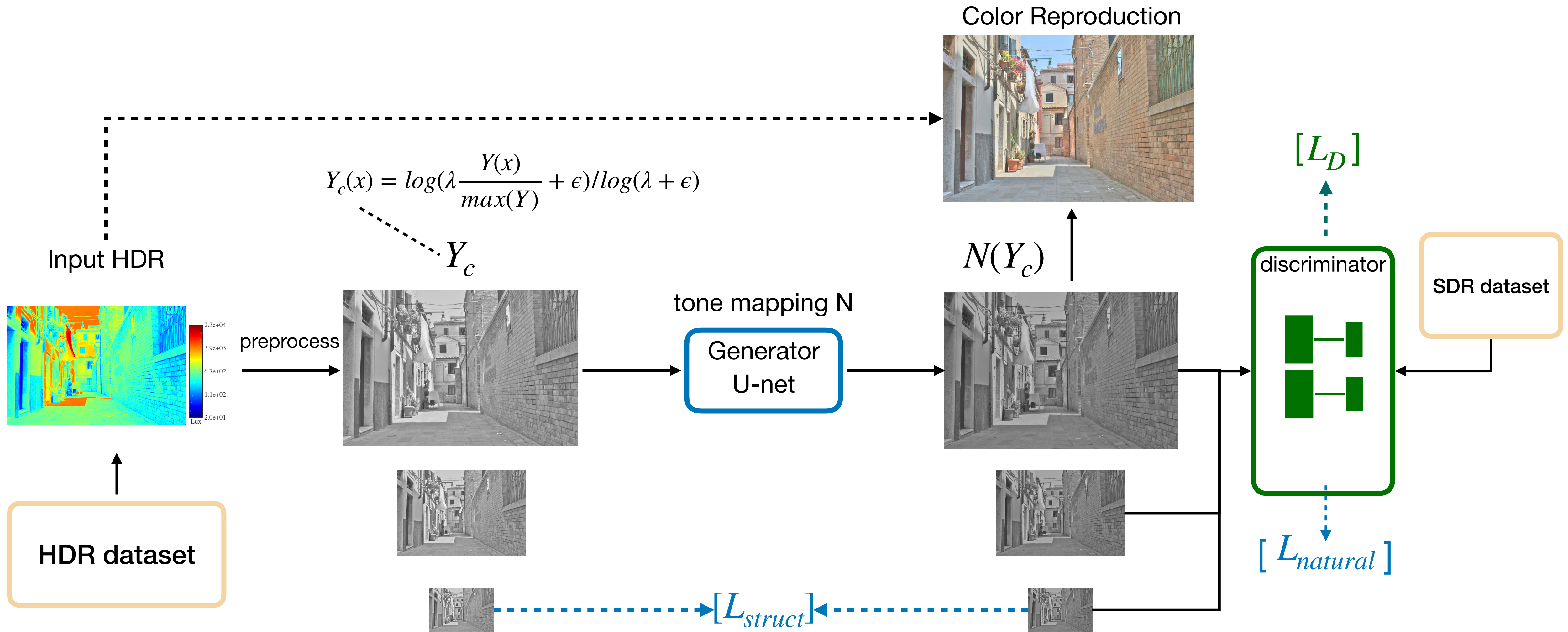
TMO image



Scene-referred HDR image

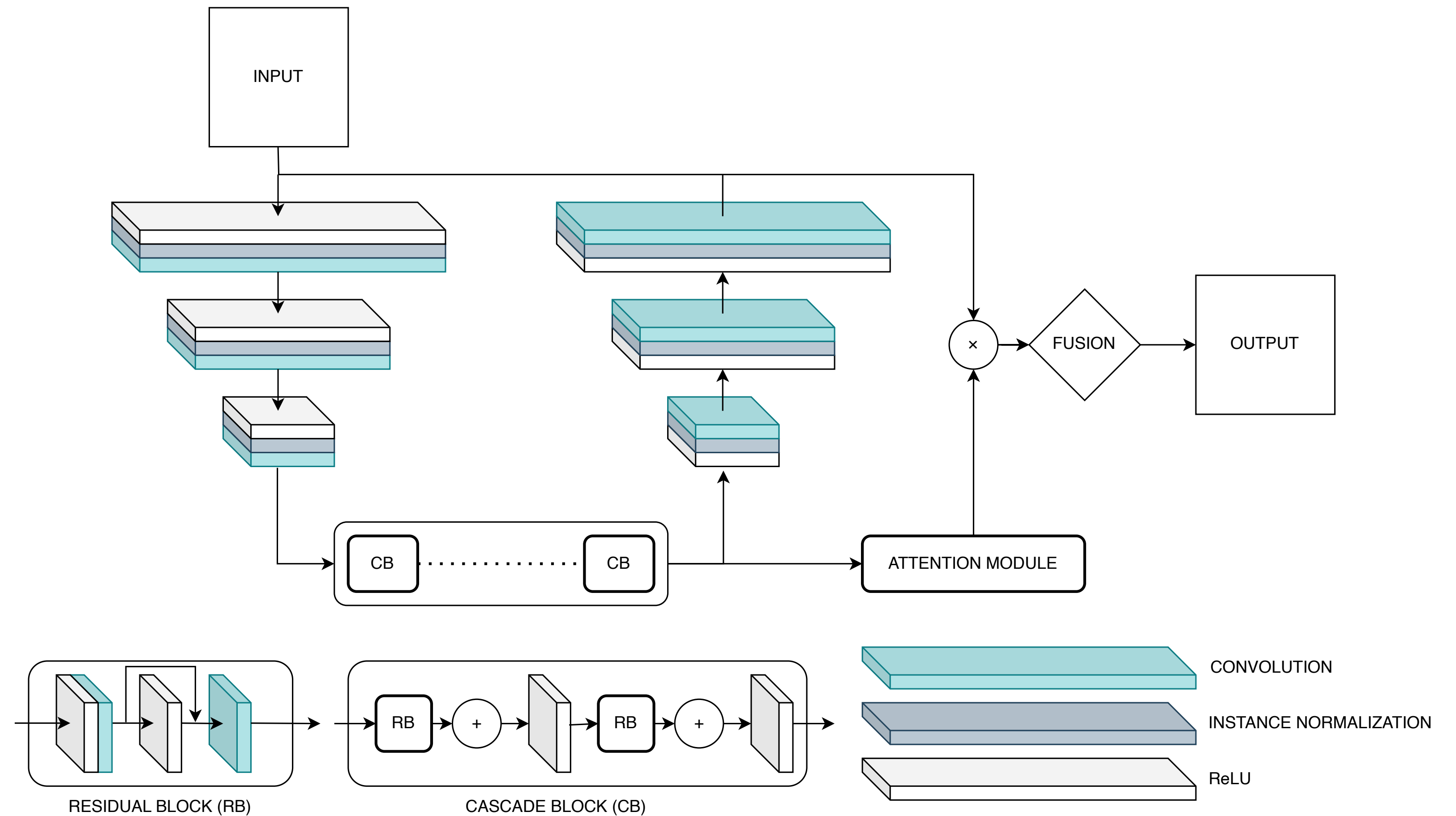


Architectures - Generative Adversarial Network Ref: VHF-2021

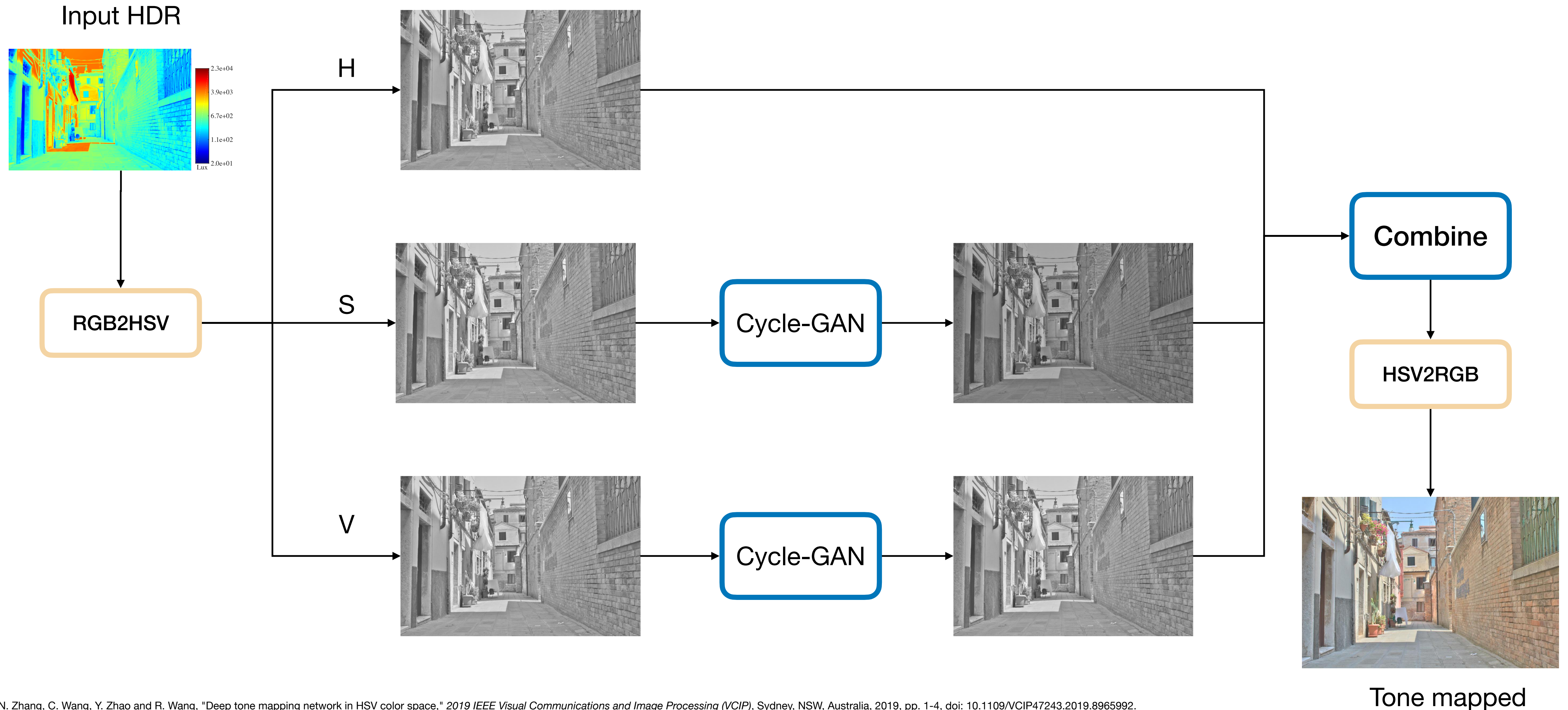


Architectures - Generator U-net modified Ref: PKO-2021

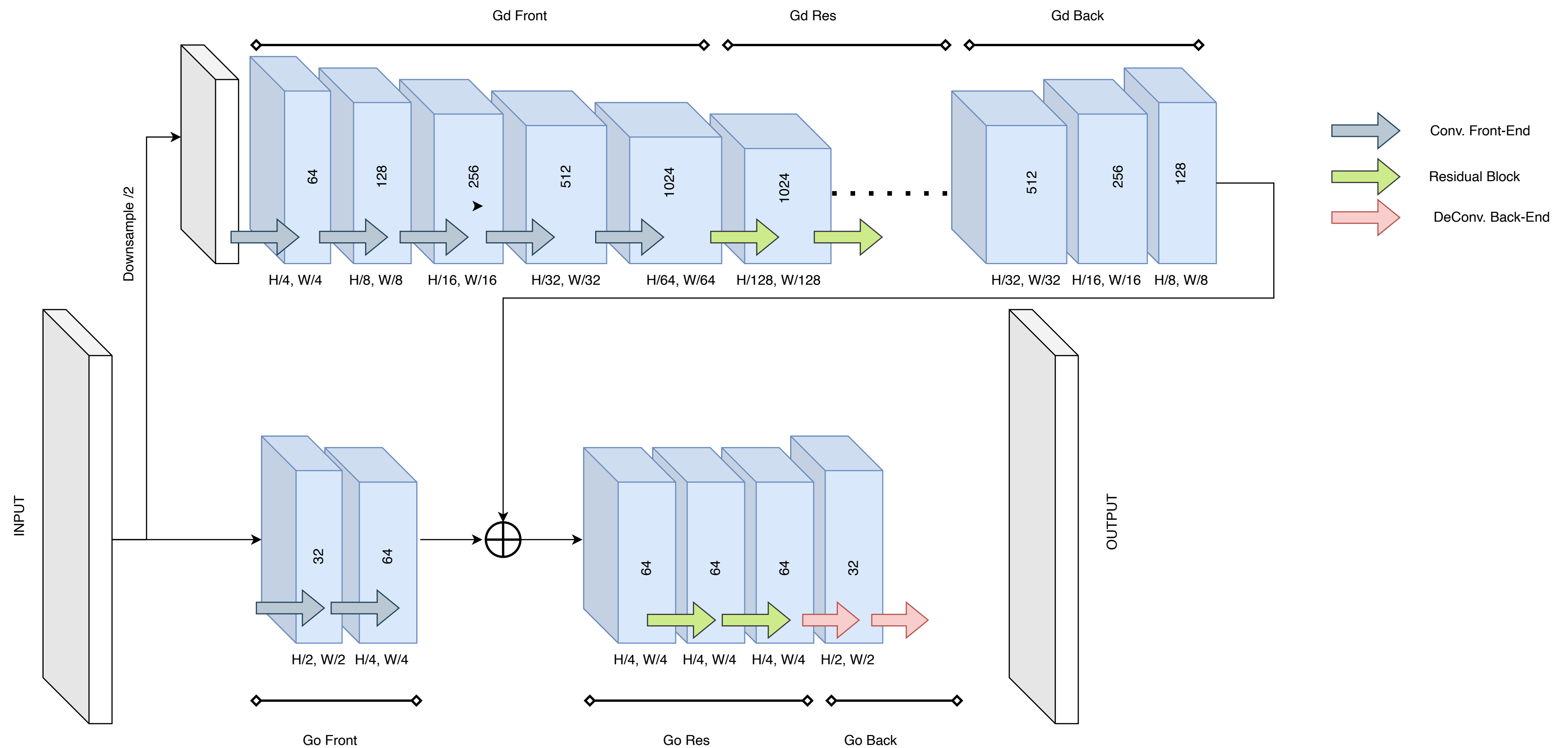
- Attention module
 - Channel and pixels-wise;
 - Ensuring that the generator
 - Global/local contrast;
 - Color consistency;
 - Eliminate under/over-exposure (image synthesis)



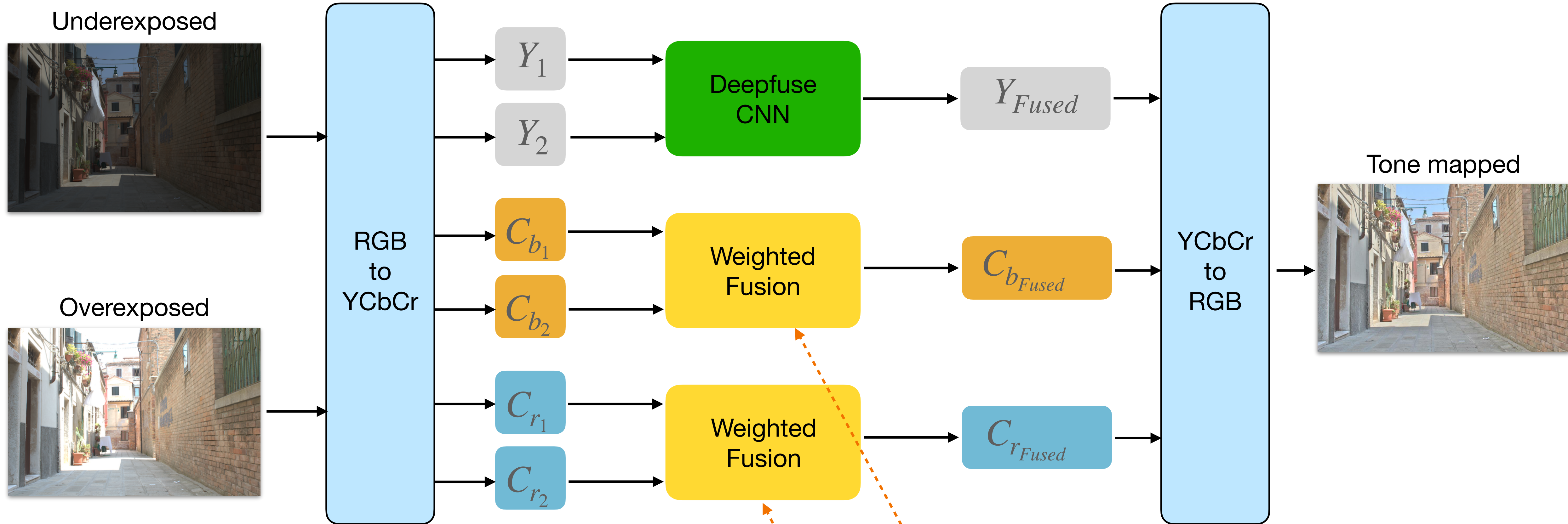
Architectures - Cycle-GAN Approach Ref: ZZWW-2020-2022



Architectures - Multi-Scale Generator Ref: RSV-2020



Architectures - Convolutional Neural Network Ref: DF-2017



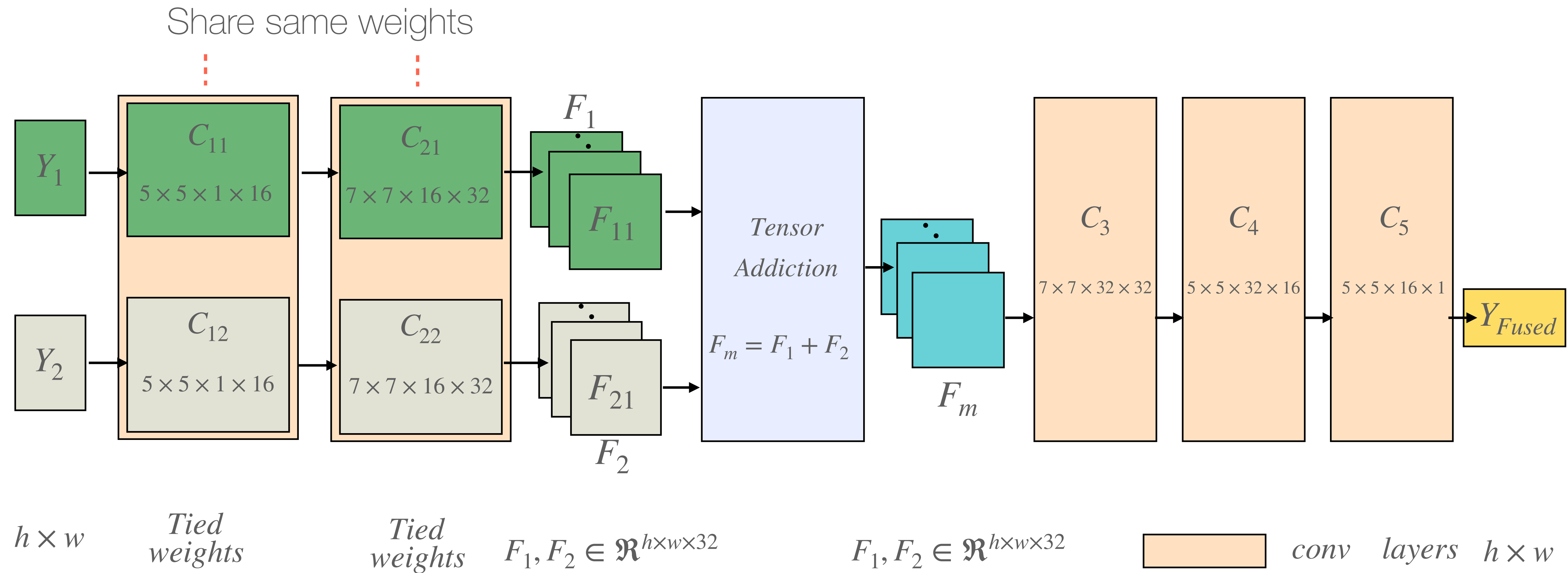
$$x_i = C_{b_i}, C_{r_i}$$

$$x = C_{b_{Fused}}, C_{r_{Fused}}$$

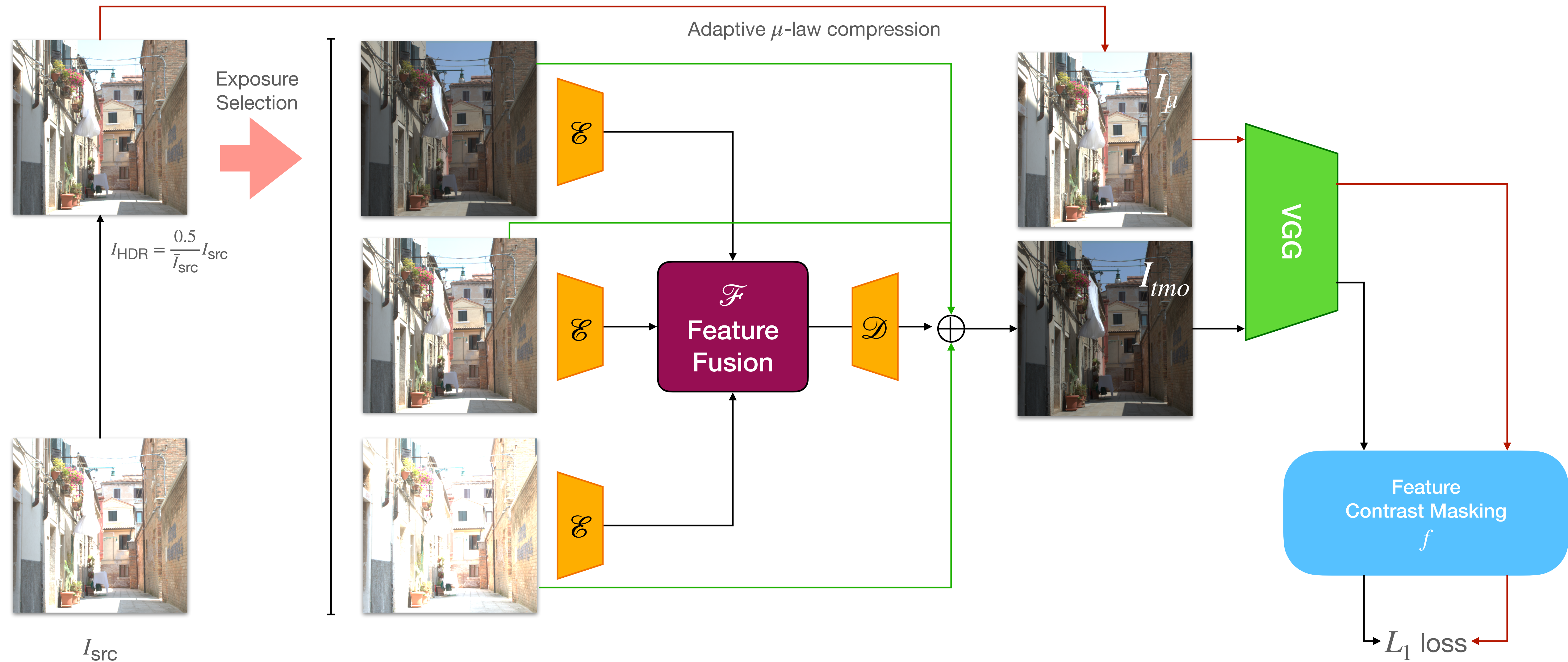
$$x = \frac{x_1 (|x_1 - \tau|) + x_2 (|x_2 - \tau|)}{|x_1 - \tau| + |x_2 - \tau|}$$

Constant value = 128

Architectures - DeepFuse CNN Ref: DF-2017



Architectures - Autoencoder Ref: WCS-2022



Training

Generative Adversarial Approach

The Loss Function- General Approach

$$Loss = L_{adv} + \sum_{i=1, \dots, n} L_i$$

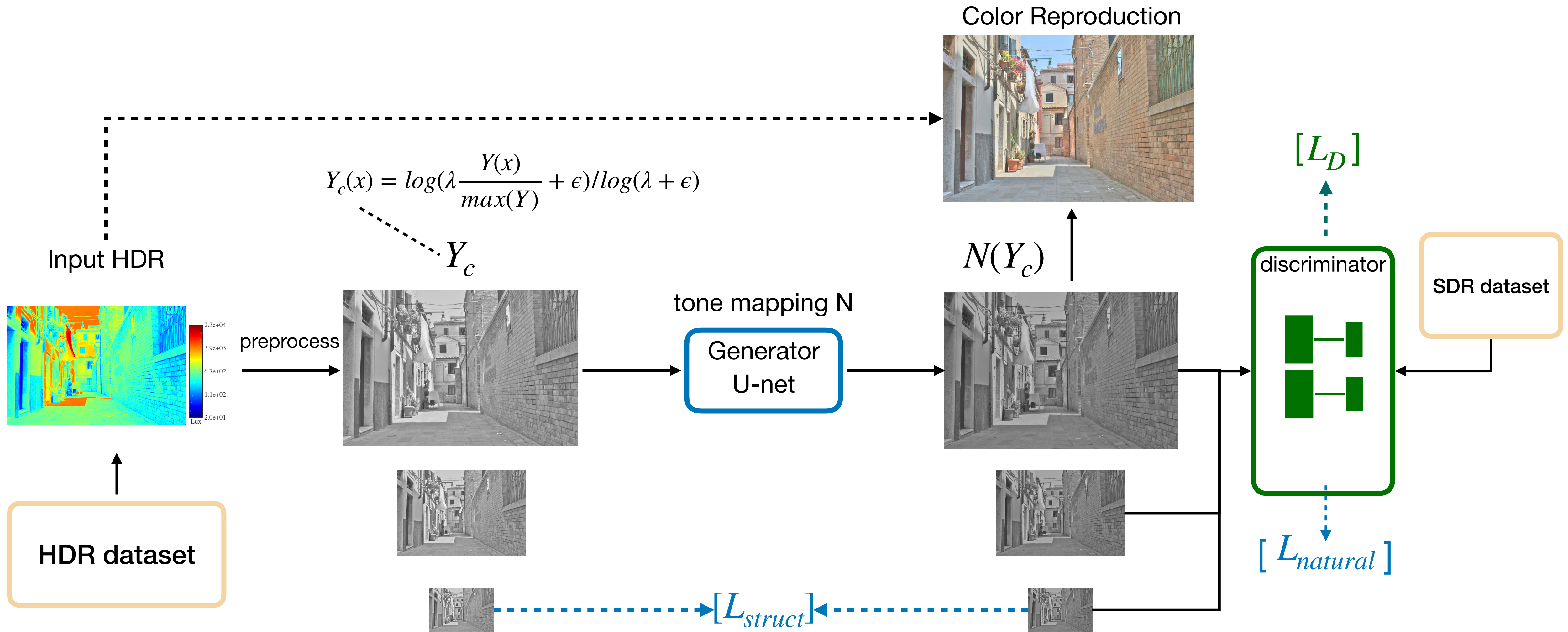
Adversarial Loss:

- Image appearance matching

Other Loss functions:

- To preserve the content and structure
- Pixel-wise loss
- Perceptual loss, feature matching, gradient, etc.

Architectures - Generative Adversarial Network Ref: VHF-2021



The Loss Function Ref: VHF-2021

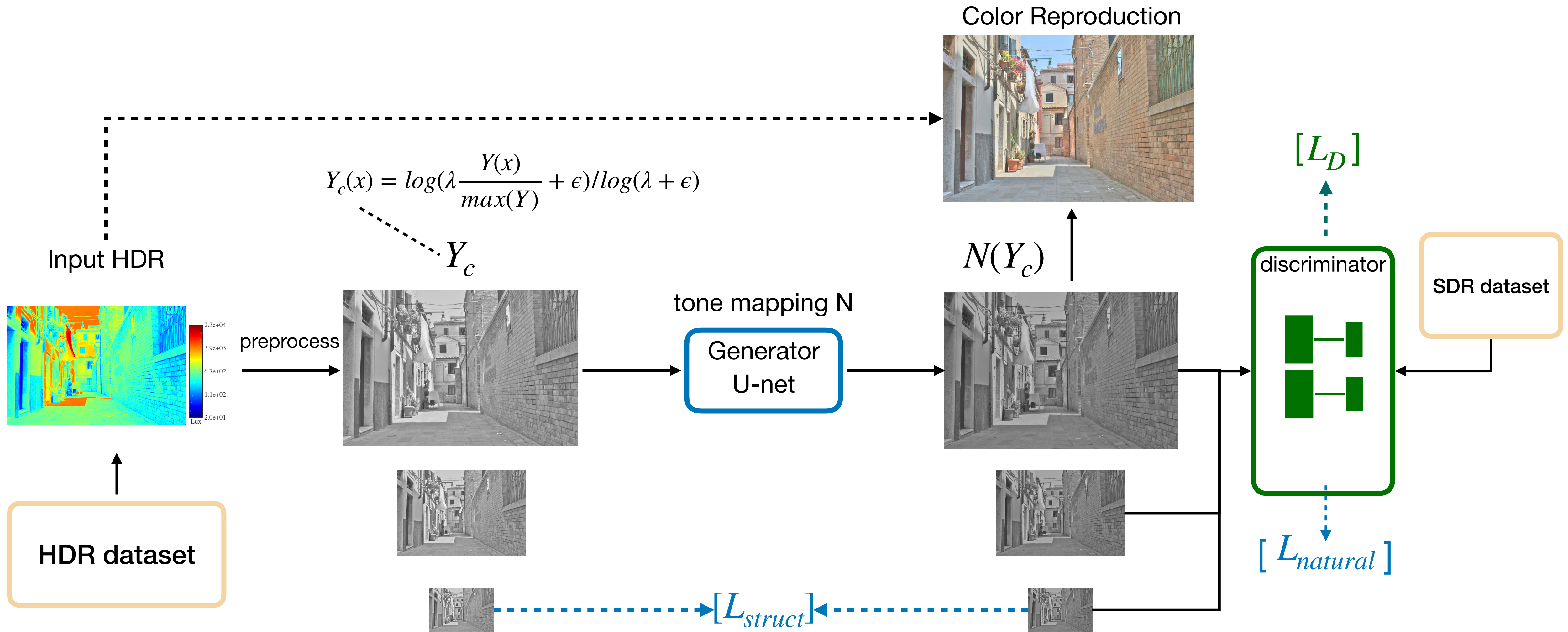
- Vinker et al. 2021 do not train the generator (\mathcal{N}) to conceive new images from scratch:
 - Removing biases in Y_c with respect to regular SDR images.
- Discriminator, 3 applied at different image scale (\downarrow^k bicubic downscaling $\times 2^k$)

$$L_D = \sum_{k \in \{0,1,2\}} \left(\mathbb{E}_{Y_{LDR}} \left[D_k(\downarrow^k Y_L) - 1 \right]^2 + \mathbb{E}_{Y_{HDR}} \left[D_k(\downarrow^k \mathcal{N}(Y_c)) \right]^2 \right)$$

- D_k is used to improve the ability of the generator (\mathcal{N}) to match the natural appearance:

$$L_{natural} = \sum_{k \in \{0,1,2\}} \left(\mathbb{E}_{Y_{HDR}} \left[D_k(\downarrow^k \mathcal{N}(Y_c) - 1) \right]^2 \right)$$

Architectures - Generative Adversarial Network Ref: VHF-2021



The Loss Function Ref: VHF-2021

- Vinker et al. 2021 proposed to preserve the content and structure:
- Measure based on Pearson correlation on two images I and J :

$$\rho(I, J) = \frac{1}{n_p} \sum_{p_I, p_J} \frac{\text{cov}(p_I, p_J)}{\sigma(p_I)\sigma(p_J)} \quad p_I, p_J = 5 \times 5 \text{ pixels}$$

- Loss function:

$$L_{struct} = \sum_{k \in \{0, 1, 2\}} \rho \left(\downarrow^k Y_c, \downarrow^k N(Y_c) \right)$$

The Loss Function Ref: PKO-2021

- Panetta et al. 2021: min-max adversarial loss:

$$Loss = L_{adv} + \lambda_1 L_{FM} + \lambda_2 L_{VGG} + \lambda_3 L_{GPL}$$

- Perceptual loss:

- $$L_{VGG} = \sum_{i=1}^N \frac{1}{M_i} \left[\left\| F^{(i)}(Y) - F^{(i)}(G(X)) \right\|_1 \right]$$

$F^{(i)}$ i -th layer of the VGG19 network
 M_i i -th element of the layer

- Feature matching loss:

- $$L_{FM} = \mathbb{E}_{X,Y} \sum_{i=1}^T \frac{1}{N_i} \left[\left\| D^{(i)}(Y) - D^{(i)}(G(X)) \right\|_1 \right]$$

T is the number of layer
 N_i is number of elements in each layer
 $D^{(i)}$ is the i -th layer feature extractor of the discriminator

The Loss Function Ref: PKO-2021

- Gradient profile loss - preserve edge information between the ground truth and synthetic SDR images:

$$L_{GPL}(Y, \hat{Y}) = \sum_c \left(\frac{1}{H} \text{trace} \left(\nabla G(\hat{Y})_c \cdot \nabla \hat{Y}_c^\tau \right) + \frac{1}{W} \text{trace} \left(\nabla G(\hat{Y})_c^\tau \cdot \nabla Y_c \right) \right)$$

$(\cdot)^\tau$ is the transpose operator

Y, \hat{Y} are the ground truth and the synthetic SDR images

H, W are height and width of the image

The Loss Function Ref: RSV-2020

- Rana et al. 2020: min-max adversarial loss:

$$Loss = \sum L_{adv} + \beta \sum L_{FM} + \lambda L_{VGG}$$

- Perceptual loss (same as PKO 2021):

$$L_{VGG} = \sum_{i=1}^N \frac{1}{M_i} \left[\left\| F^{(i)}(y) - F^{(i)}(G(x)) \right\|_1 \right]$$

$F^{(i)}$ i -th layer of the VGG19 network

M_i i -th element of the layer

- Feature matching loss (same as PKO 2021):

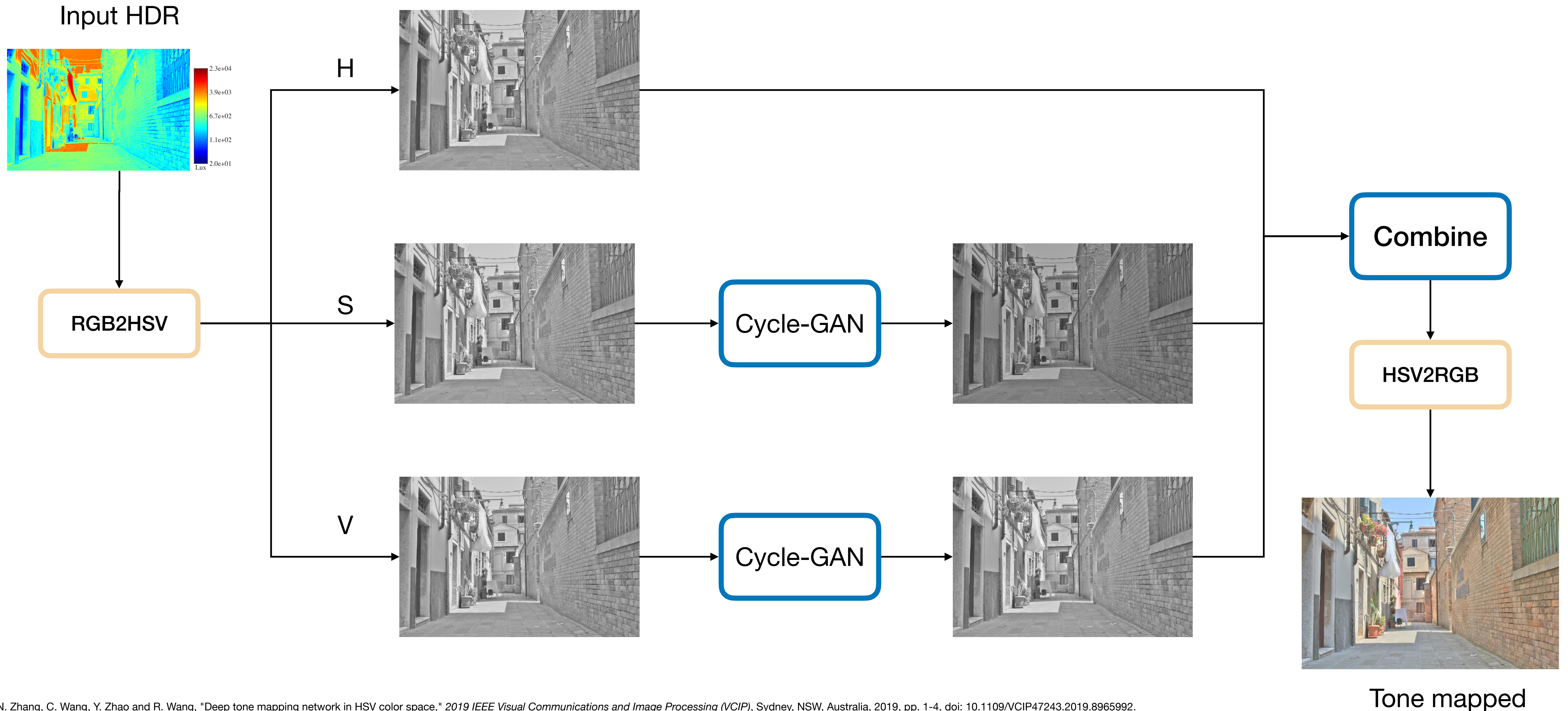
$$L_{FM} = \mathbb{E}_{X,Y} \sum_{i=1}^T \frac{1}{N_i} \left[\left\| D^{(i)}(y) - D^{(i)}(G(x)) \right\|_1 \right]$$

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Architectures - Cycle-GAN Approach Ref: ZZWW-2020-2022



The Loss Function Ref: ZZWW-2022

- Zhang et al. 2020: classic cycle loss and min-max adversarial loss for both luminance and saturation

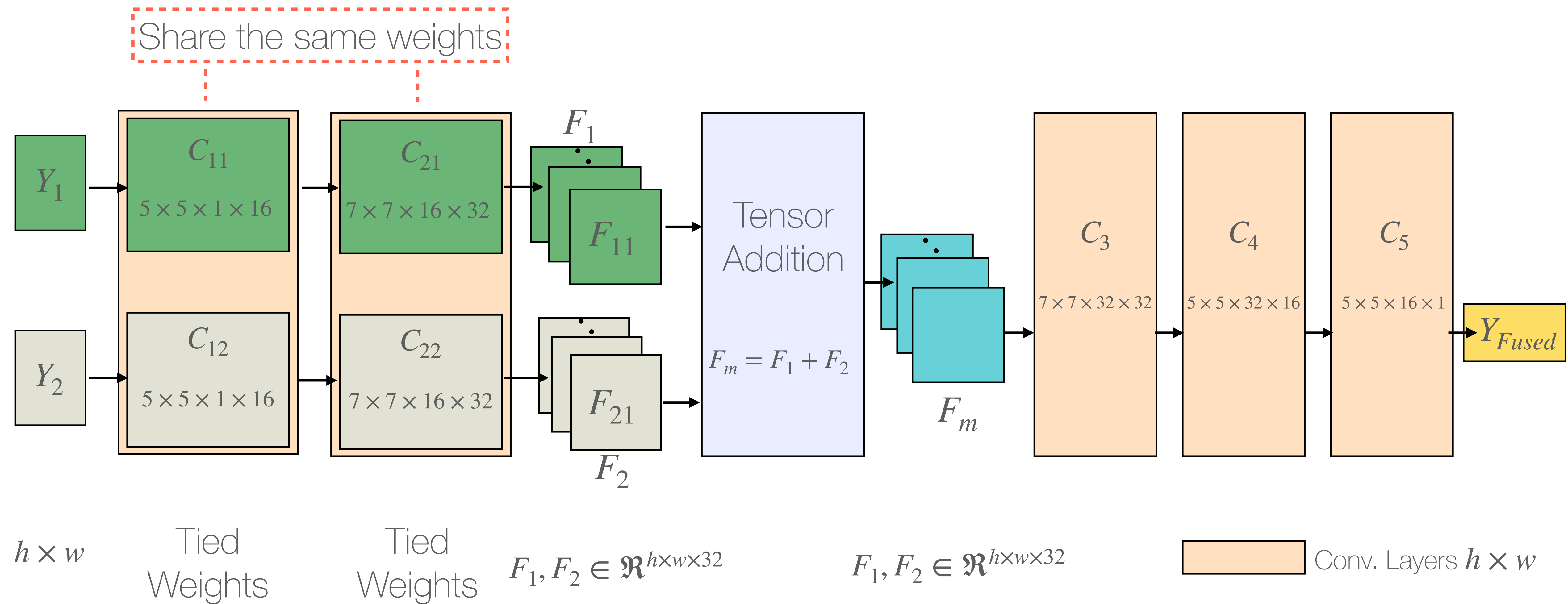
$$Loss = \lambda L_{pixel} + L_{adv_f} + L_{adv_b} + \beta(L_{cycle_f} + L_{cycle_b})$$

- Perceptual pixel loss L1 norm for both luminance and saturation:

$$L_{pixel} = \mathbb{E}(x, y) || G(x) - y ||_1$$

Others Loss Functions

Architectures - DeepFuse CNN Ref: DF-2017



The Loss Function Ref: DF-2017

- Prabhakar et al. 2017: based on SSIM objective metric (which it gives a score)

$$Loss = 1 - \frac{1}{N} \sum_{p \in P} Score(p)$$

- **Score(p)**: takes into account the contrast and the desired structure, the luminance is discharged (local luminance comparison in the patches is not significant):

$$Score(p) = \frac{2\sigma_{\tilde{y}y_f} + C}{\sigma_{\tilde{y}}^2 + \sigma_{y_f}^2 + C'}$$

N number of pixels in the image

P number of pixels in the patch

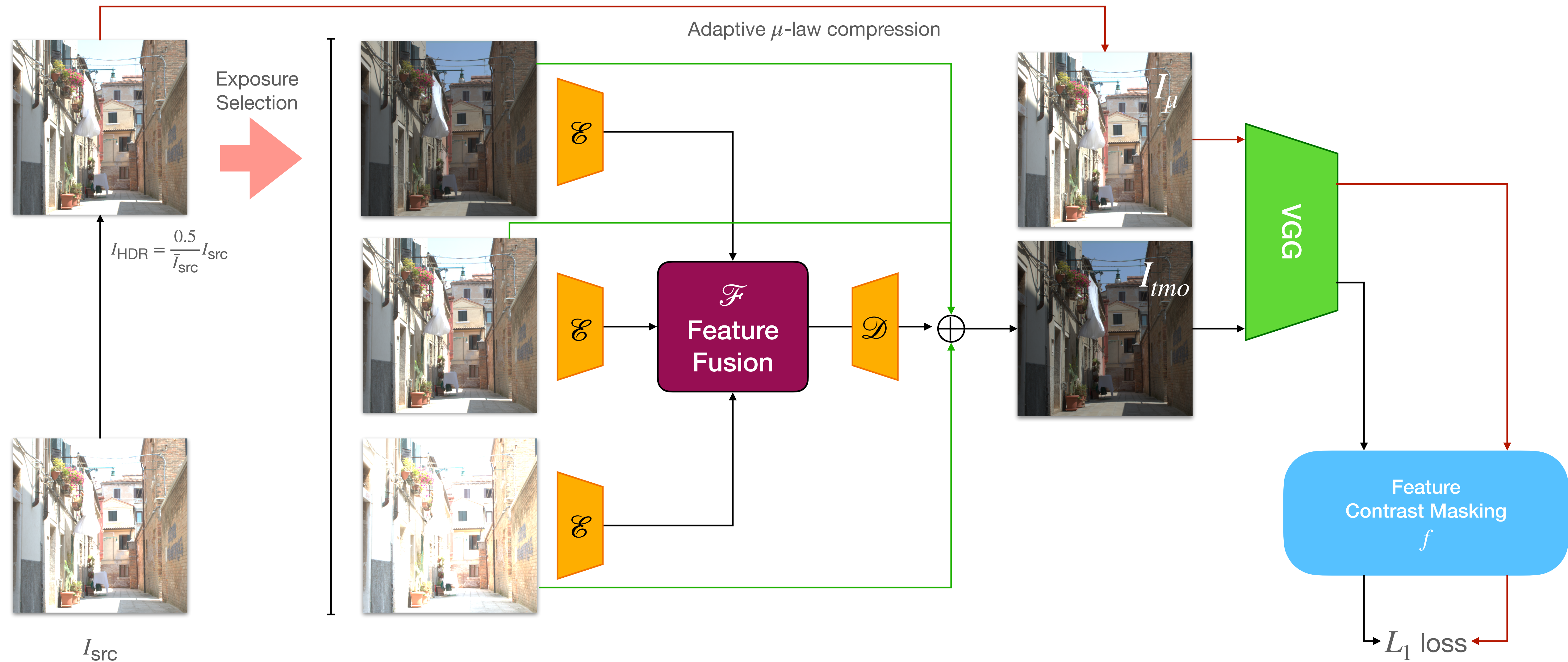
\tilde{y} estimated patch

y_f fused patch

$\sigma_{\tilde{y}}$ σ_{y_f} variance

$\sigma_{\tilde{y},y_f}$ covariance

Architectures - Autoencoder Ref: WCS-2022



The Loss Function Ref: WCS-2022

- Wang et al. 2022: L1 norm based masked features contrast maps

feature magnitude at pixel p

Feature contrast

gaussian filtered feature value for patch P centre at pixel p

$$Loss = ||f(VGG(I_\mu)) - f(VGG(I_{TM}))||_1$$

$$C_p = \frac{f_p - \tilde{f}_p}{|\tilde{f}_p| + \epsilon}$$

$$I_\mu = \frac{\log(1 + \mu I_{HDR})}{\log(1 + \mu)}$$

Pre-processing HDR input image to transform it into VGG features space, i.e., VGG is trained using SDR images

$$I_{HDR} = 0.5 \times \frac{I_{src}}{\text{mean}(I_{src})}$$

Compression power factor

$$f(VGG(I)) = \frac{M_s}{1 + M_n}$$

Feature contrast neighborhood-masking

$$M_n = \frac{\sigma_p}{|\mu_p| + \epsilon}$$

Feature contrast self-masking

$$M_s = \text{sign}(C) |C|^\alpha$$

Future Directions

Color Rendition

- It is based on a simple concept of keeping into the tone mapped image the original color ratio of the high dynamic range input image:

$$RGB_{SDR} = \left(\frac{RGB_{HDR}}{Y_{HDR}} \right)^s Y_{SDR}$$

- However, several color mapping techniques have been developed:
 - The main aim is to minimize the hue distortion
 - Color gamut mapping
 - Color retargeting: based on optimal saturation parameter

Computational and memory management costs

- Complex models
 - Complex architectures
 - High number of parameters
 - High memory management costs
- Reduces their applicability where we need fast response
- Natural question
 - How to reduce the model complexity while retaining similar quality performance?

Thank you for your attention!

Any Question?